Making Sense of High-Dimensional Data and Visualizations Alyssa A. Goodman Harvard-Smithsonian Center for Astrophysics Key Collaborators: H. Arce, C. Beaumont, M. Borkin, M. Halle, J. Kauffmann, J. Pineda, E. Rosolowsky, R. Shetty Jan Vermeer. The Astronomer. (1668)

Tuesday, March 22, 2011

The "data deluge" in science is old news. Now, it's pouring, and we need working tools to collect, sort out, understand, and keep what is falling down on us. In astronomy, the greatest insights very often come from studies where more than one "band" of data (e.g. optical, infrared, radio, X-ray) is combined. And, data sets aren't just large--they are often also high-dimensional, in that they contain information about flux as functions not just of position on the sky, but also as functions of a third dimension (e.g. frequency, velocity), and/or of time. Life science, geophysical, and geospatial data all present similar challenges.

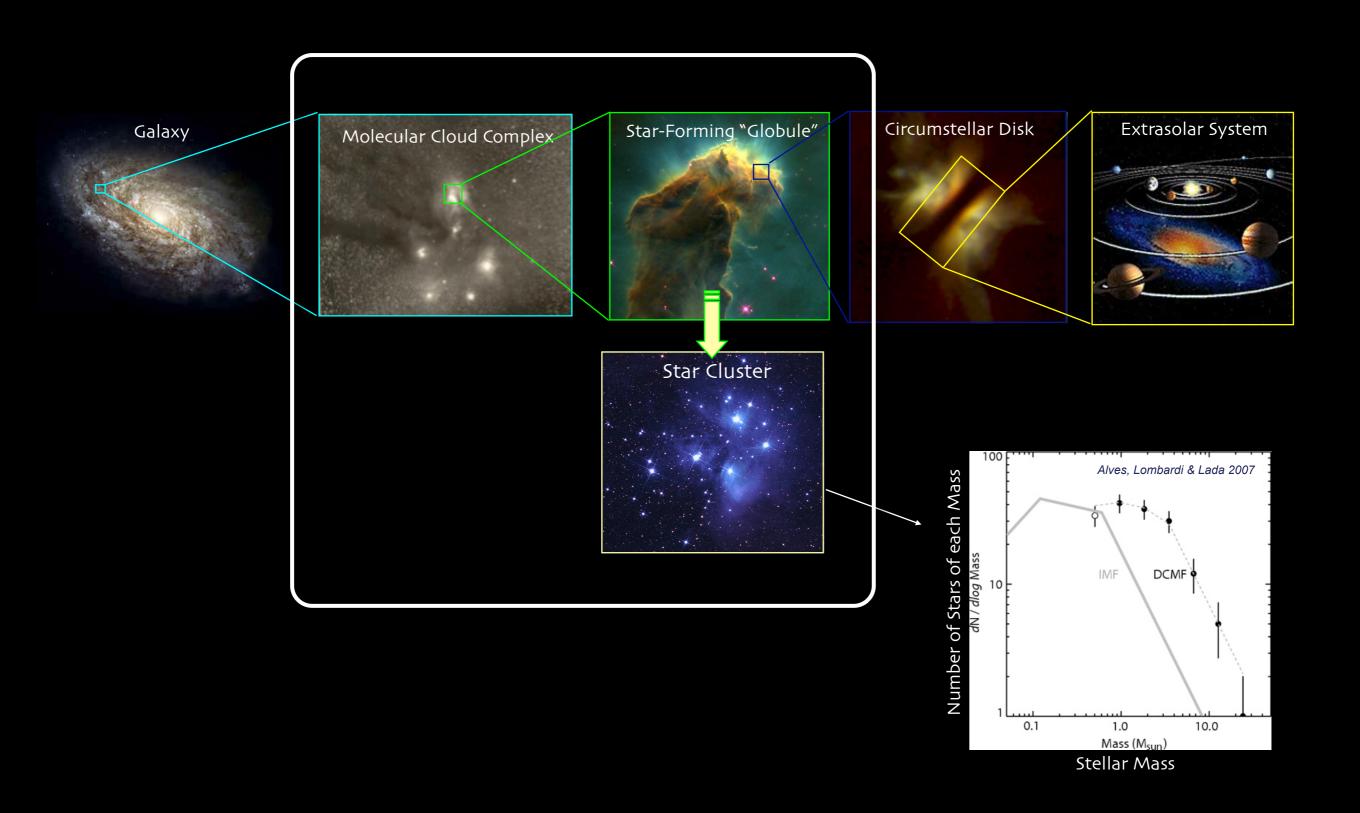
In this talk, I will focus on examples drawn from my group's research on star formation in molecular clouds. In particular, I will show how new visualization and statistical analysis techniques relying on interactive high-dimensional views of data and on automated algorithms for "segmenting" data give new insight. "Segmentation" in imaging terms refers to extracting the meaningful structures from data, and I will show results from both dendrogram (tree-hierarchy) and machine-learning approaches. I will emphasize how the visualization of segmentation results is critical for understanding. The highlighted science results will show how we can now--for the first time--quantitatively but intuitively understand the connections between the "real" (position-position-position) space where simulations (e.g. of star formation) can be made and the "observational" (e.g. position-position-velocity) space available to earthbound astronomers. As a result of this newfound understanding, we can place important limits on the validity of virial-theorem-based calculations of the properties of gas--allowing, for example, for better estimates of which gas in star-forming regions is most likely to stay bound long enough to form stars.

Even though this abstract may sound technical to non-star-formation or non-computational researchers, my goal will be to keep the talk accessible to non-experts, so people from other fields faced with high-dimensional data and visualization challenges should feel free to join in--and to ask questions

Introduction High-Dimensional Star Formation Data **AstroMed** "p-p-v" cubes **Simulations** True 3D Structure 3D PDF What's bound?/ Virial Theorem Linked Views, e.g. Dendro... What riles up the ISM? Machine Learning WWT-"NUIs"-Seamless 3D Milky Wayı Astronomy Predictive KS?

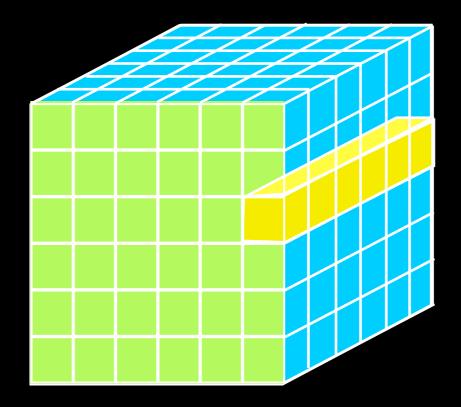
The Future

Star (and Planet, and Moon) Form Star Formation



High-Dimensional Data ATMOSPHERIC AND OCEANIC TEMPERATURE CHANGE

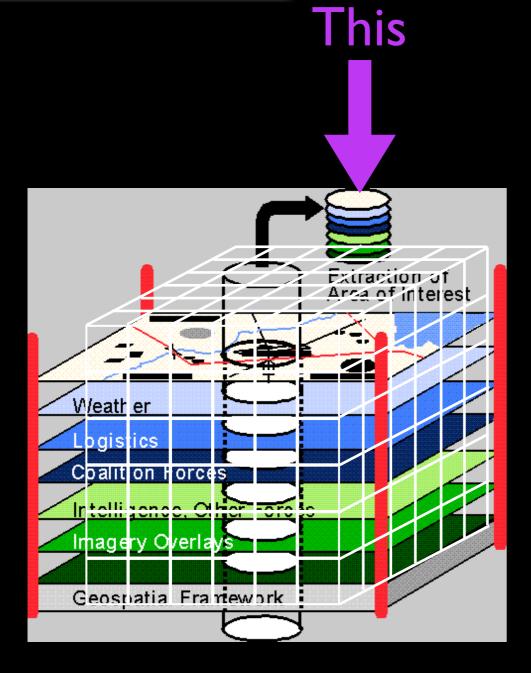
High-Dimensional Data



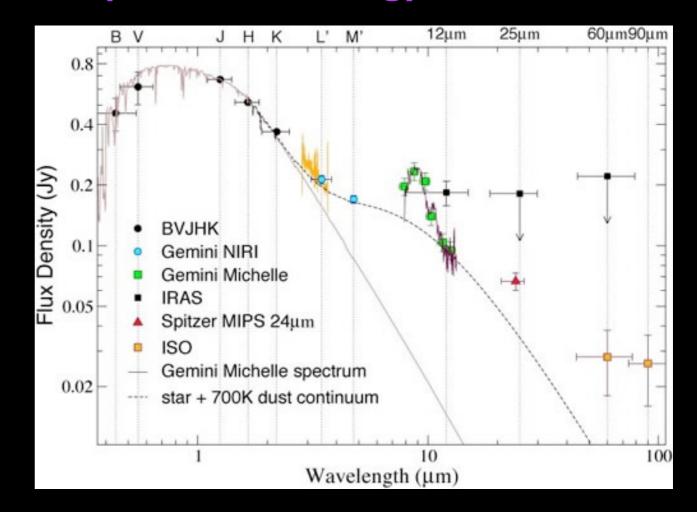
GENERALLY

- D: Columns = "Spectra", "SEDs" or "Time Series"
- 2D: Faces or Slices = "Images"
- 3D: Volumes = "3D Renderings"
- 4D: Time Series of Volumes = "3D Movies"

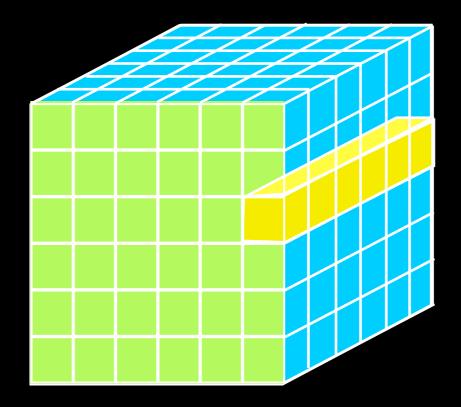
High-Dimensional Data



is a "spectral energy distribution"

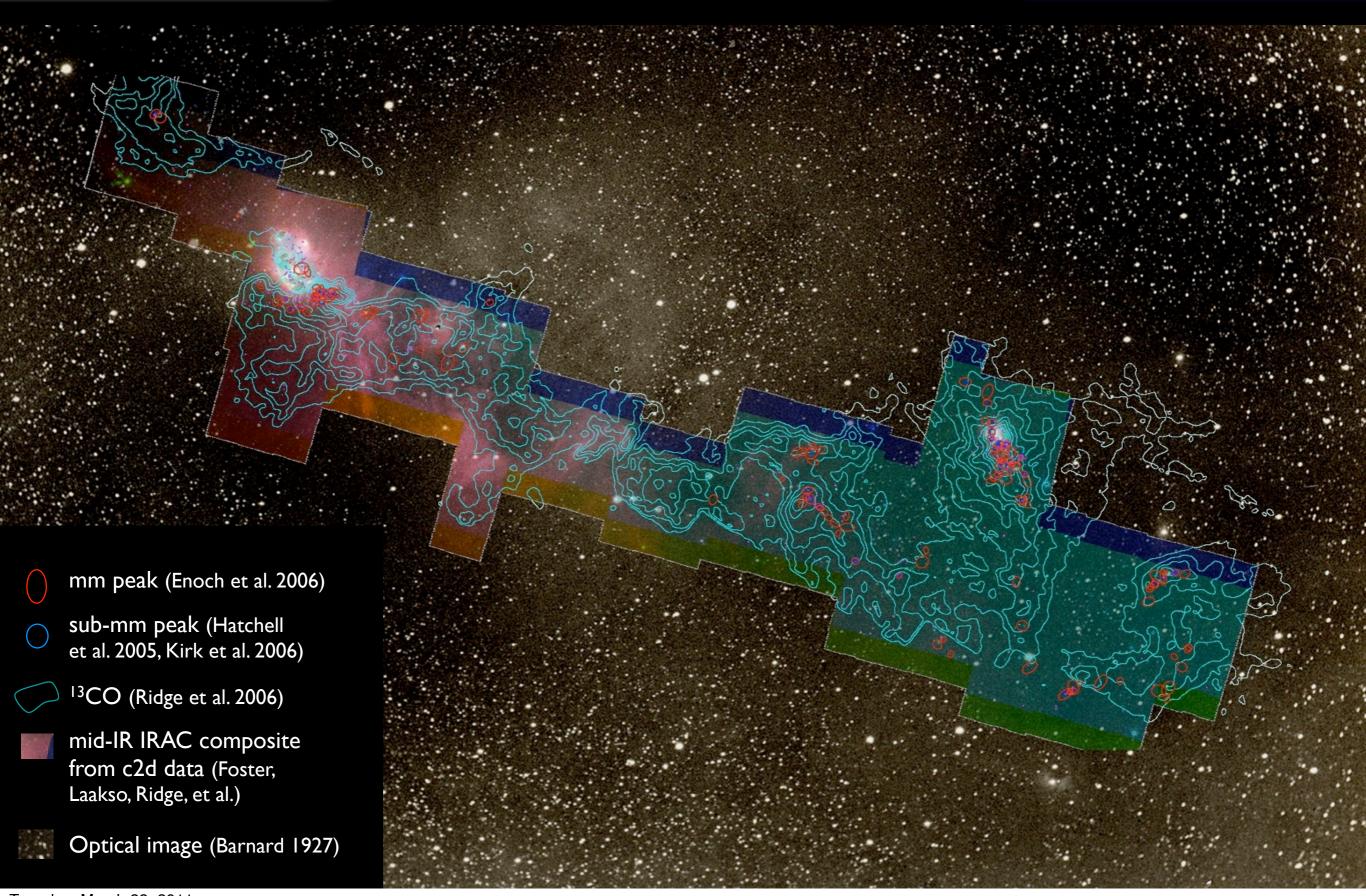


High-Dimensional Data



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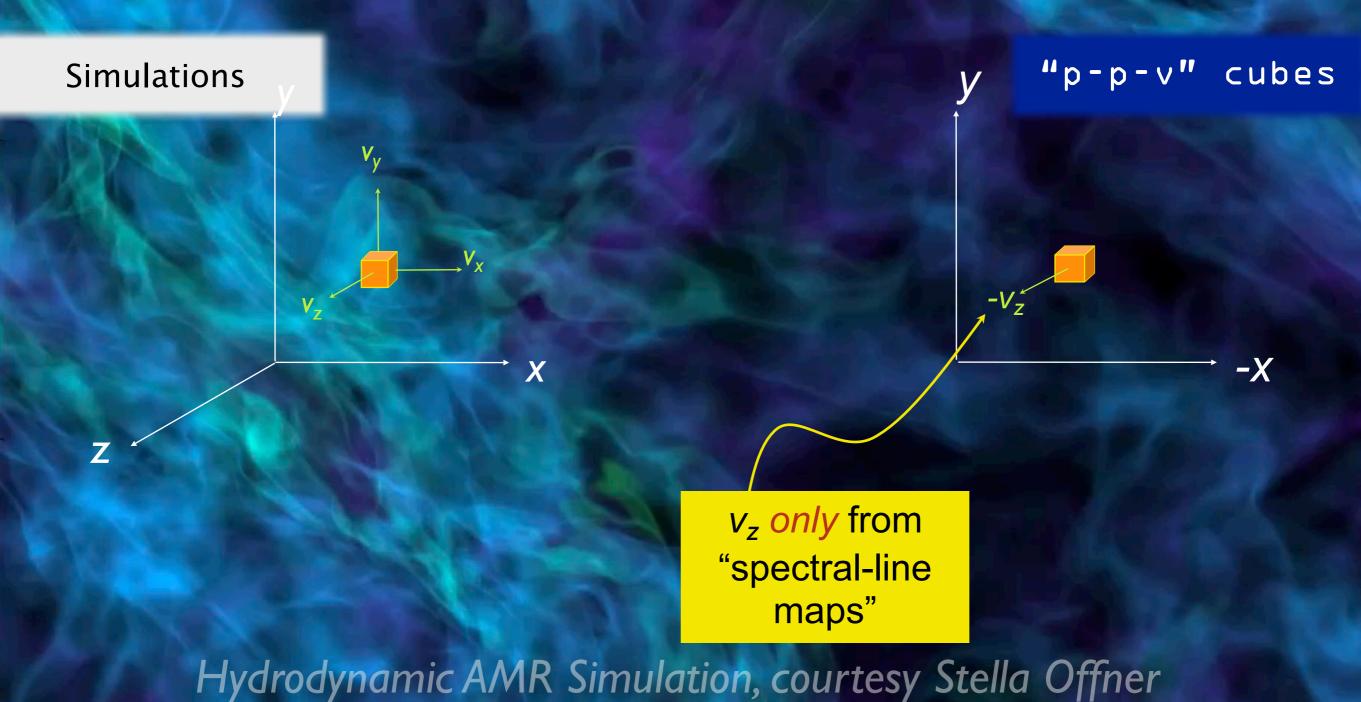
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- 3D: Volumes = "3D Renderings"
- 4D: Time Series of Volumes = "3D Movies"



"Three" Dimensions: Spectral-Line Mapping

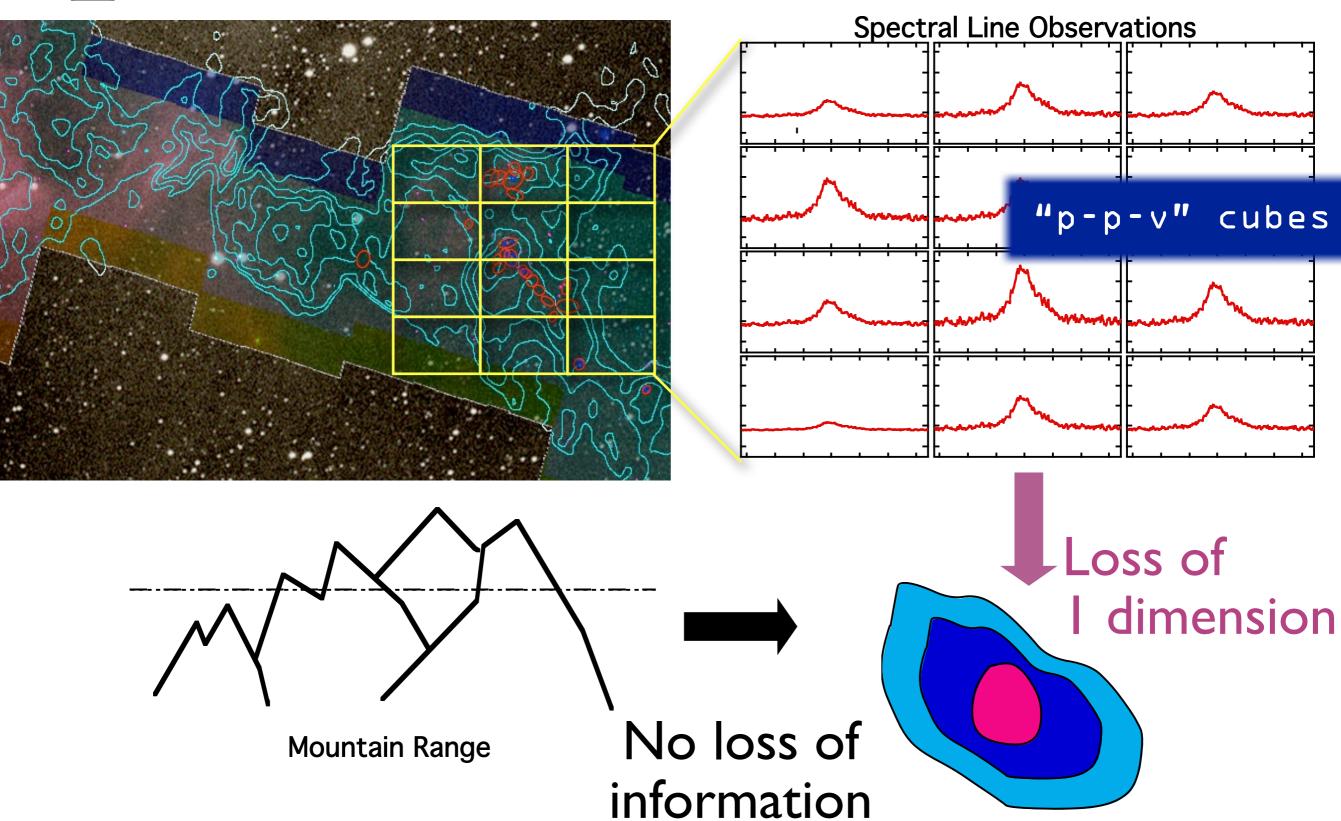
We wish we could measure...

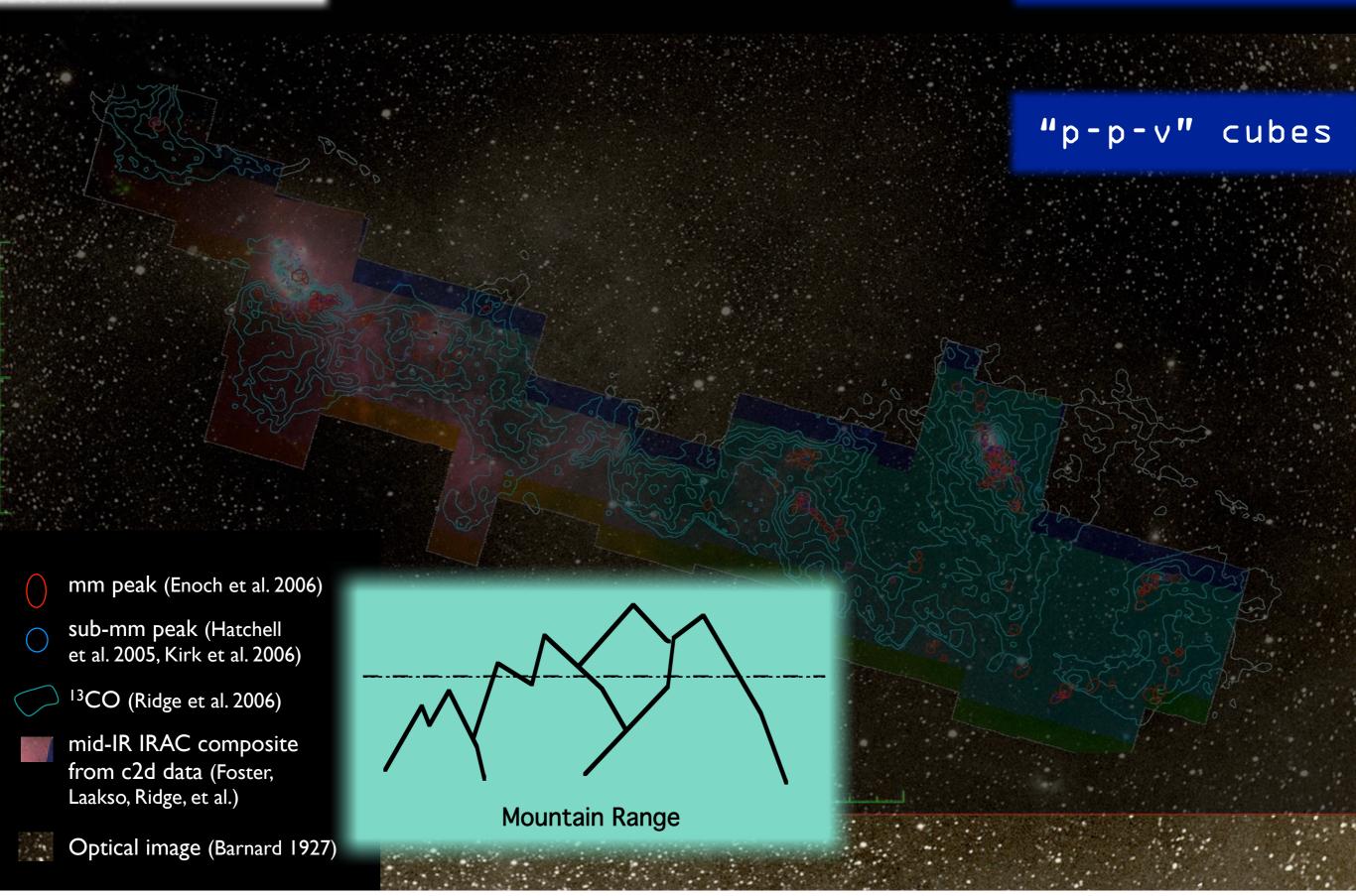
But we can measure...





Spectral-Line Mapping



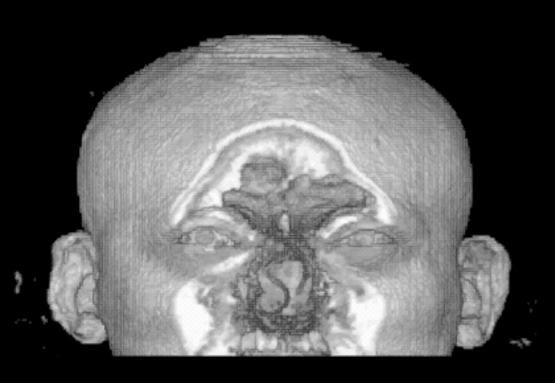


"Astronomical Medicine"

AstroMed

"KEITH"

"PERSEUS"

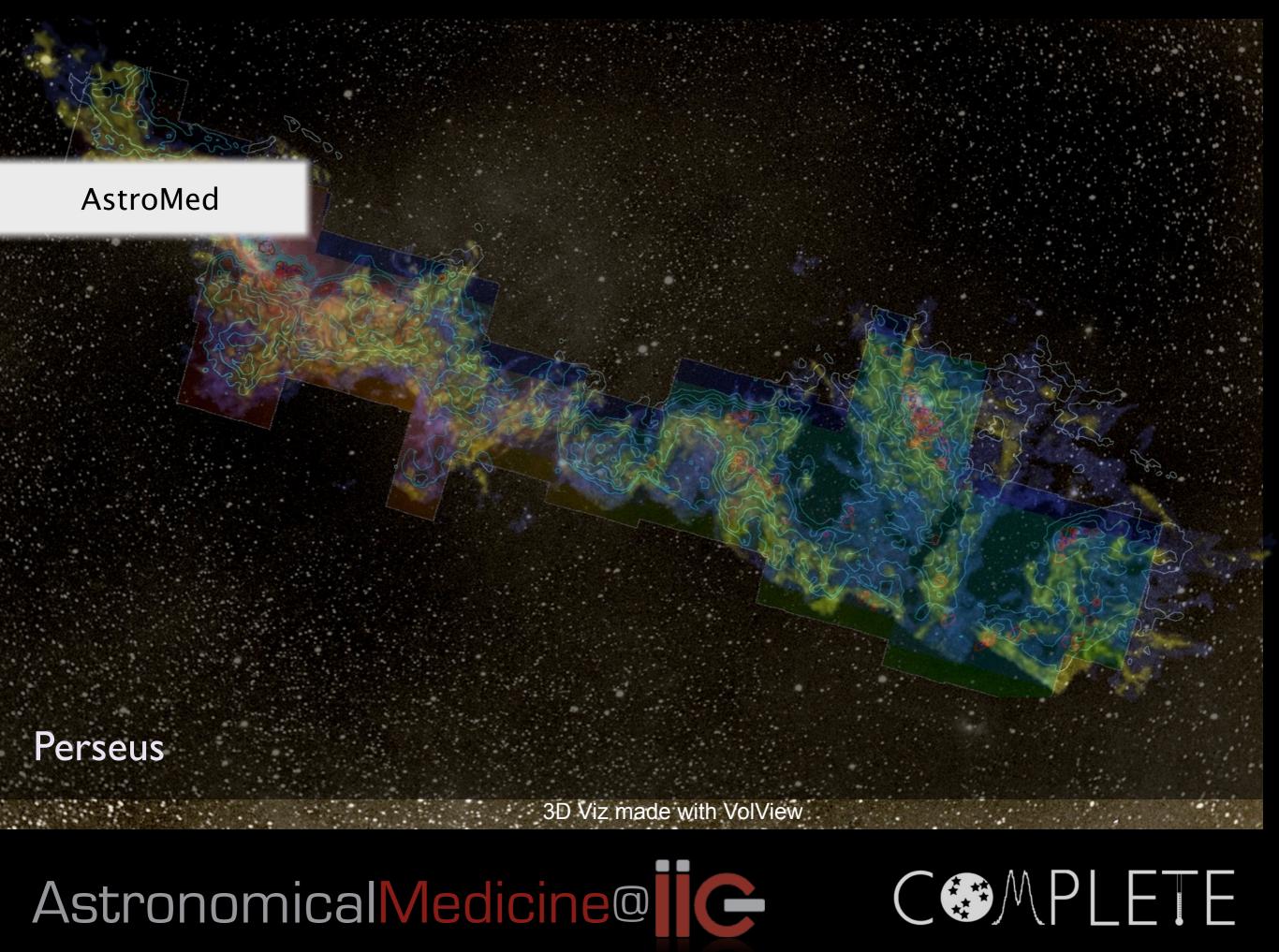


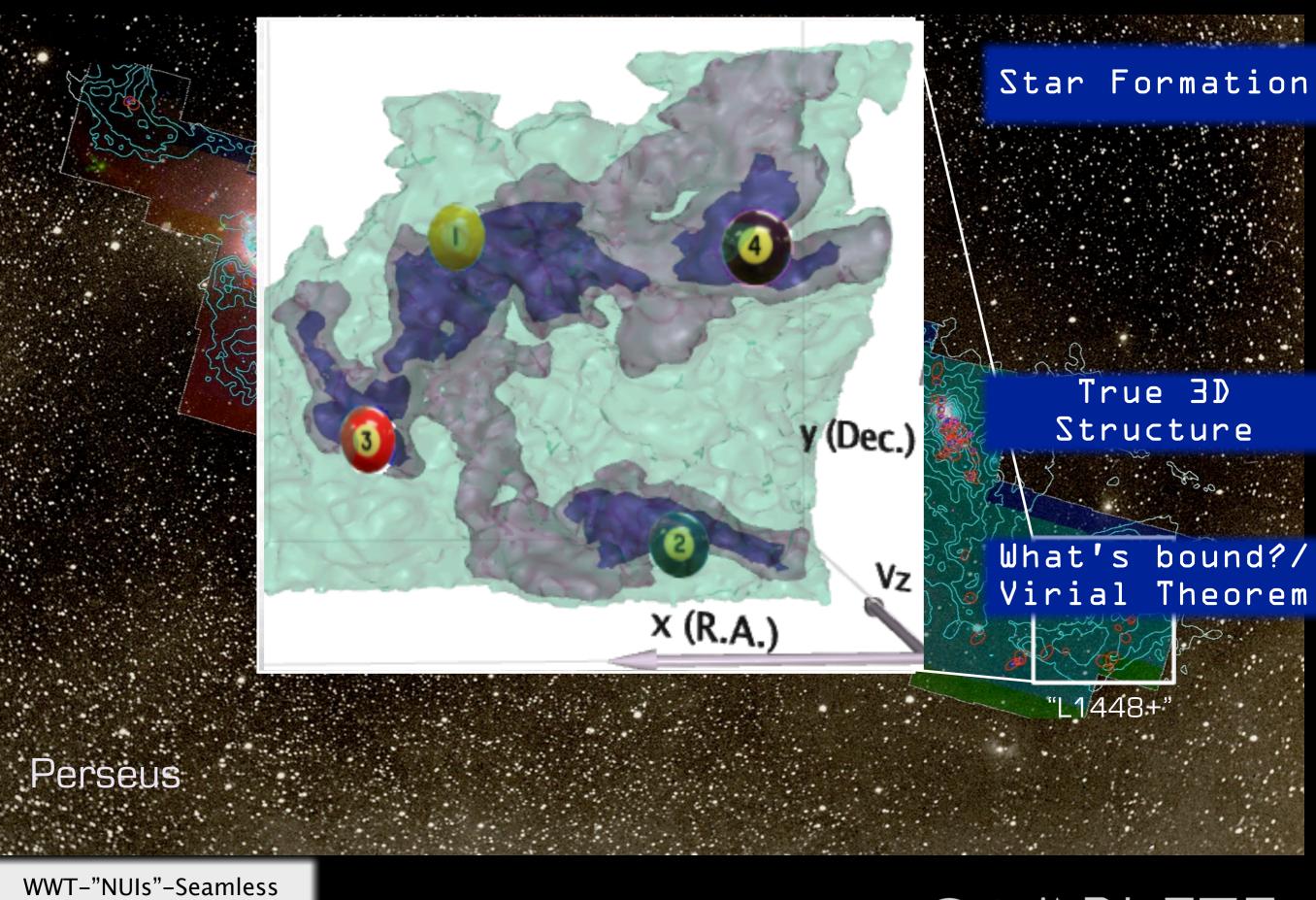


"z" is depth into head

"z" is line-of-sight velocity

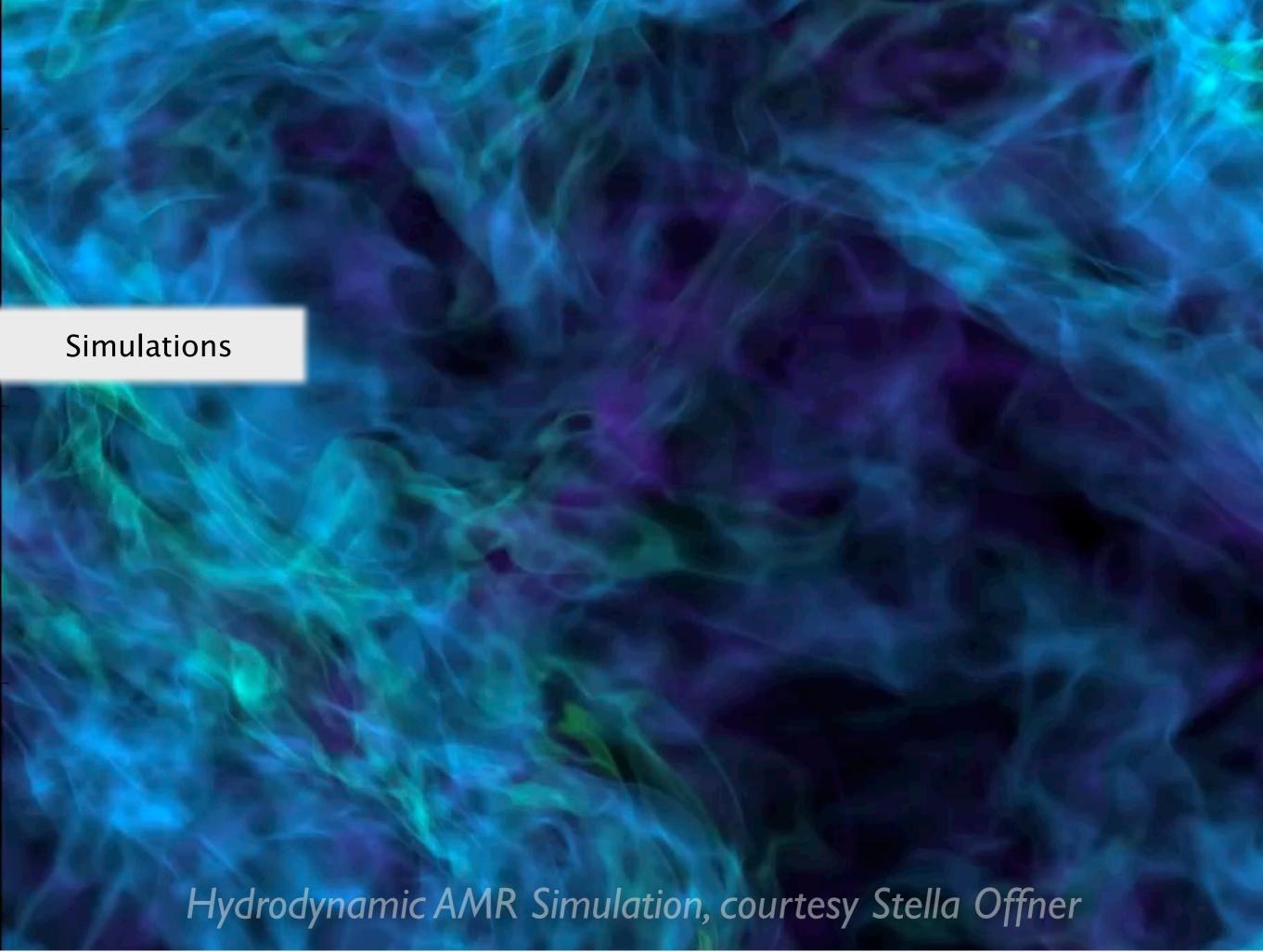
http://am.iic.harvard.edu/



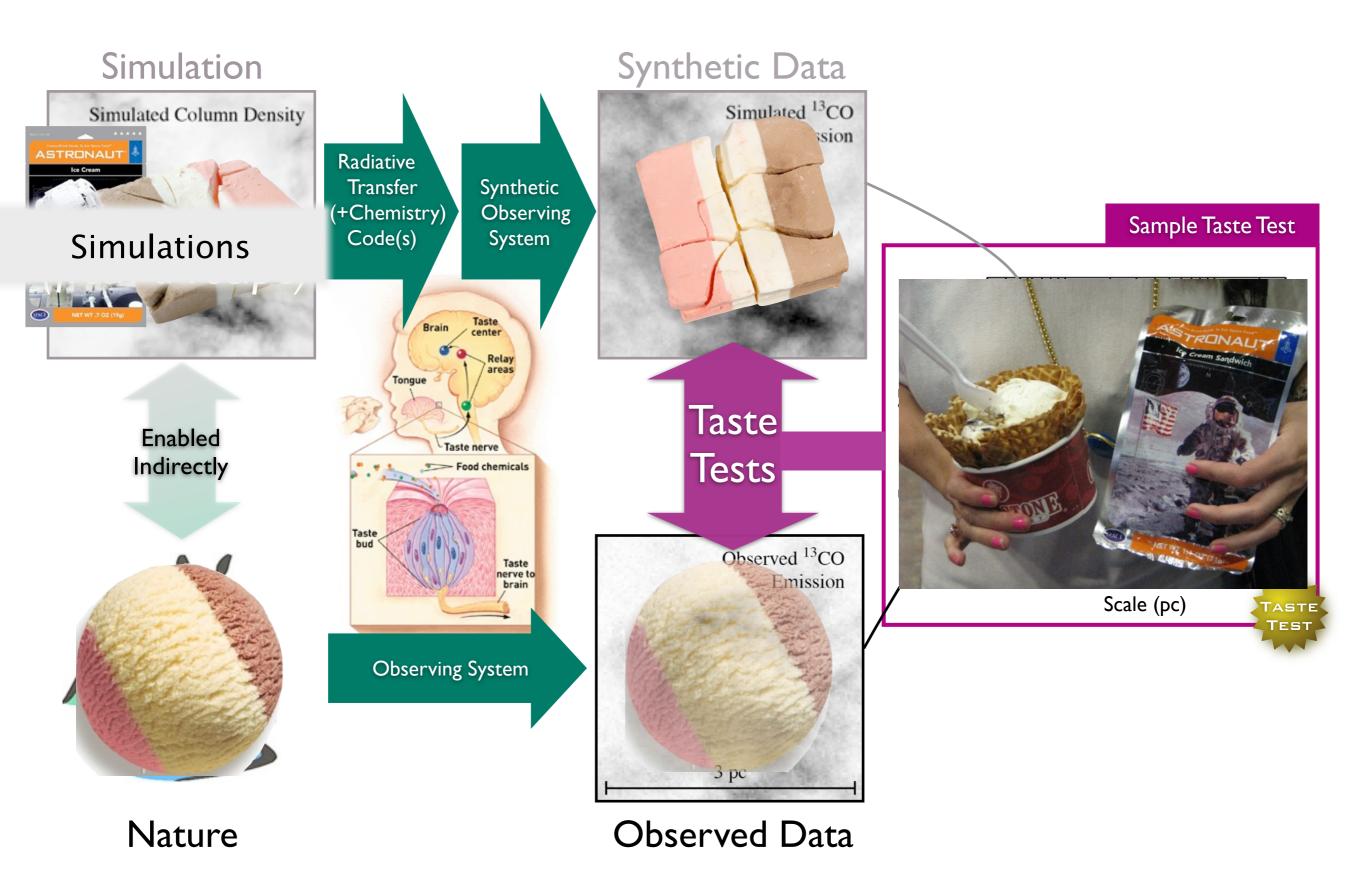


WWT-"NUIs"-Seamles:
Astronomy

C PLETE



"Taste-Testing" Simulations



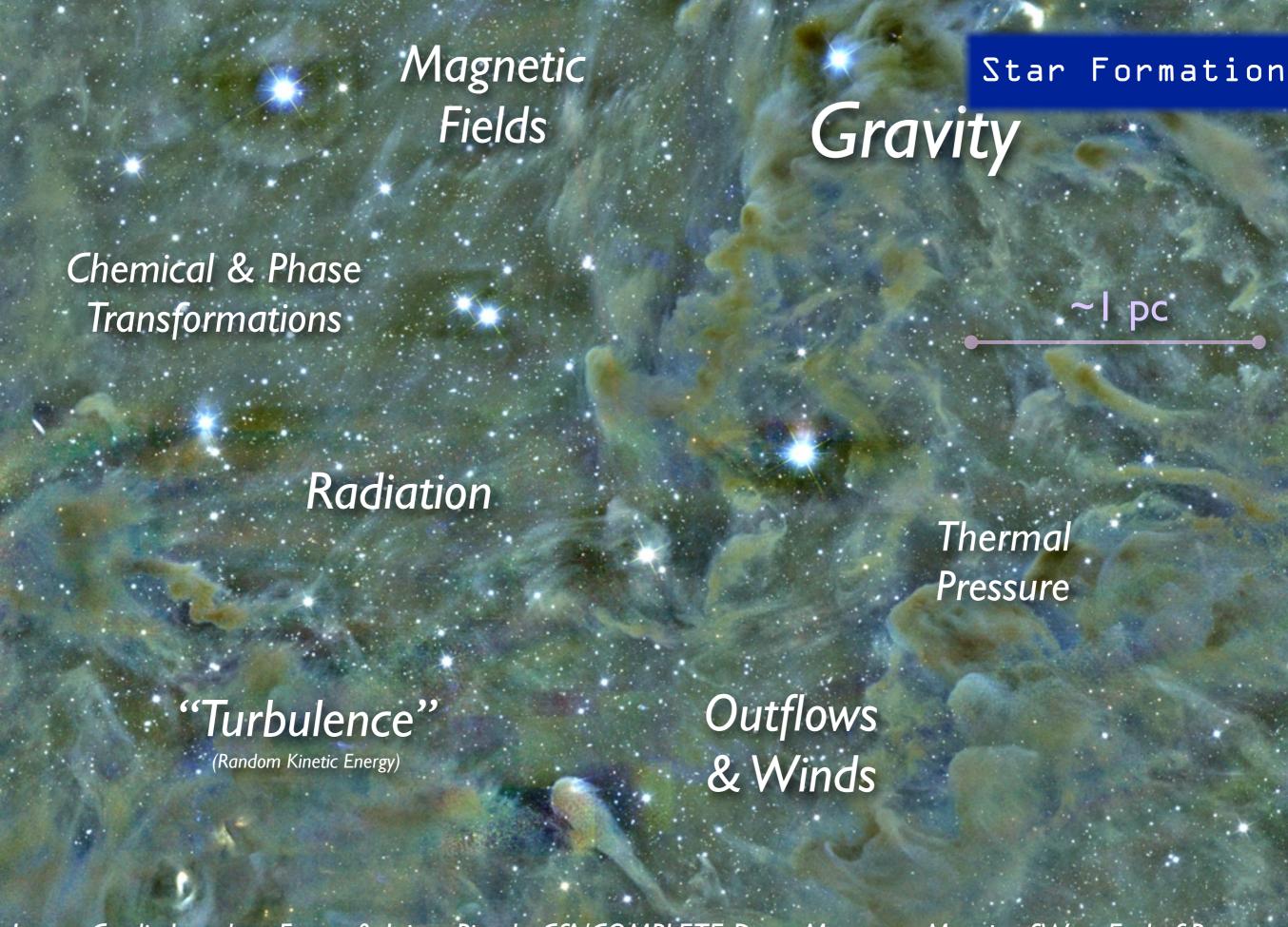


Image Credit: Jonathan Foster & Jaime Pineda CfA/COMPLETE Deep Megacam Mosaic of West End of Perseus

High-Dimensional Data

AstroMed

Simulations

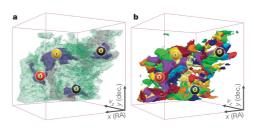
3D PDF

Tuesday, March 22, 2011

Taste-Testing "Gravity"

LETTERS

NATURE Vol 457 | 1 January 2009



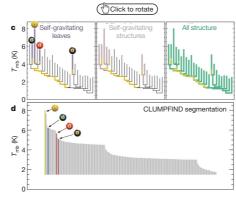


Figure 2 | Comparison of the 'dendrogram' and 'CLUMPFIND' feature-identification algorithms as applied to ¹³CO emission from the L1448 region of Perseus. a, 3D visualization of the surfaces indicated by colours in the dendrogram shown in c. Purple illustrates the smallest scale self-gravitating structures in the region corresponding to the leaves of the dendrogram; pink shows the smallest surfaces that contain distinct self-gravitating leaves within them; and green corresponds to the surface in the data cube containing all the significant emission. Dendrogram branches corresponding to self-gravitating objects have been highlighted in yellow over the range of T_{mb} (main-beam temperature) test-level values for which the virial parameter is less than 2. The x-y locations of the four 'self-gravitating' leaves labelled with billiard balls are the same as those shown in Fig. 1. The 3D visualizations show position—position—velocity (p-p-y)'s acc. RA, right ascension; dec., declination. For comparison with the ability dendrogram of the CLUMPFIND segmentation (b), with the same for labels used in Fig. 1 and in a Asfalumes' and at allowed to be larged to be a support to the same for labels used in Fig. 1 and in a Asfalumes' and at allowed to be larged to

"Dendrogram"

Fig. 1, and velocity with respect to the Local Standard of Rest increases front $(-0.5~{\rm km\,s}^{-1})$ to back $(8~{\rm km\,s}^{-1})$.

data, CLUMPFIND typically finds features on a limited range of scales, above but close to the physical resolution of the data, and its results can be overly dependent on input parameters. By tuning CLUMPFIND's two free parameters, the same molecular-line data set[®] can be used to show either that the frequency distribution of clump mass is the same as the initial mass function of stars or that it follows the much shallower mass function associated with large-scale molecular clouds (Supplementary Fig. 1).

Four years before the advent of CLUMPFIND, 'structure trees'9 were proposed as a way to characterize clouds' hierarchical structure

using 2D maps of column density. With this early 2D work as inspiration, we have developed a structure-identification algorithm that abstracts the hierarchical structure of a 3D (p-p-v) data cube into an easily visualized representation called a 'dendrogram'¹⁰. Although well developed in other data-intensive fields'^{11,12}, it is curious that the application of tree methodologies so far in astrophysics has been rare, and almost exclusively within the area of galaxy evolution, where 'merger trees' are being used with increasing frequency¹³.

Figure 3 and its legend explain the construction of dendrograms schematically. The dendrogram quantifies how and where local maxima of emission merge with each other, and its implementation is explained in Supplementary Methods. Critically, the dendrogram is determined almost entirely by the data itself, and it has negligible sensitivity to algorithm parameters. To make graphical presentation possible on paper and 2D screens, we 'flatten' the dendrograms of 3D data (see Fig. 3 and its legend), by sorting their 'branches' to not cross, which eliminates dimensional information on the *x* axis while preserving all information about connectivity and hierarchy. Numbered 'billiard ball' labels in the figures let the reader match features between a 2D map (Fig. 1), an interactive 3D map (Fig. 2a online) and a sorted dendrogram (Fig. 2c).

A dendrogram of a spectral-line data cube allows for the estimation

A dendrogram of a spectral-line data cube allows for the estimation of key physical properties associated with volumes bounded by isosurfaces, such as radius (R), velocity dispersion (σ_v) and luminosity (L). The volumes can have any shape, and in other work!4 we focus on the significance of the especially elongated features seen in L1448 (Fig. 2a). The luminosity is an approximate proxy for mass, such that $M_{\rm lum} = X_{\rm 13CO} L_{\rm 13CO}$, where $X_{\rm 13CO} = 8.0 \times 10^{20}~{\rm cm}^2~{\rm K}^{-1}~{\rm km}^{-1}~{\rm s}$ (ref. 15; see Supplementary Methods and Supplementary Fig. 2). The derived values for size, mass and velocity dispersion can then be used to estimate the role of self-gravity at each point in the hierarchy, via calculation of an 'observed' virial parameter, $\alpha_{\rm obs} = 5\sigma_v^2 R/GM_{\rm lum}$. In principle, extended portions of the tree (Fig. 2, yellow highlighting) where $\alpha_{\rm obs} < 2$ (where gravitational energy is comparable to or larger than kinetic energy) correspond to regions of p-p-v space where self-gravity is significant. As $\alpha_{\rm obs}$ only represents the ratio of kinetic energy to gravitational energy at one point in time, and does not explicitly capture external over-pressure and/or magnetic fields¹⁶, its measured value should only be used as a guide to the longevity (boundedness) of any particular feature.

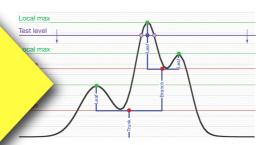


Figure 3 | Schematic illustration of the dendrogram process. Shown is the construction of a dendrogram from a hypothetical one-dimensional emission profile (black). The dendrogram (blue) can be constructed by 'dropping' a test constant emission level (purple) from above in tiny steps (exaggerated in size here, light lines) until all the local maxima and mergers are found, and connected as shown. The intersection of a test level with the emission is a set of points (for example the light purple dots) in one dimension, a planar curve in two dimensions, and an isosurface in three dimensions. The dendrogram of 3D data shown in Fig. 2c is the direct analogue of the tree shown here, only constructed from 'isosurface' rather than 'point' intersections. It has been sorted and flattened for representation on a flat page, as fully representing dendrograms for 3D data cubes would require four dimensions.

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Goodman et al. Nature, 2009

Star Formation

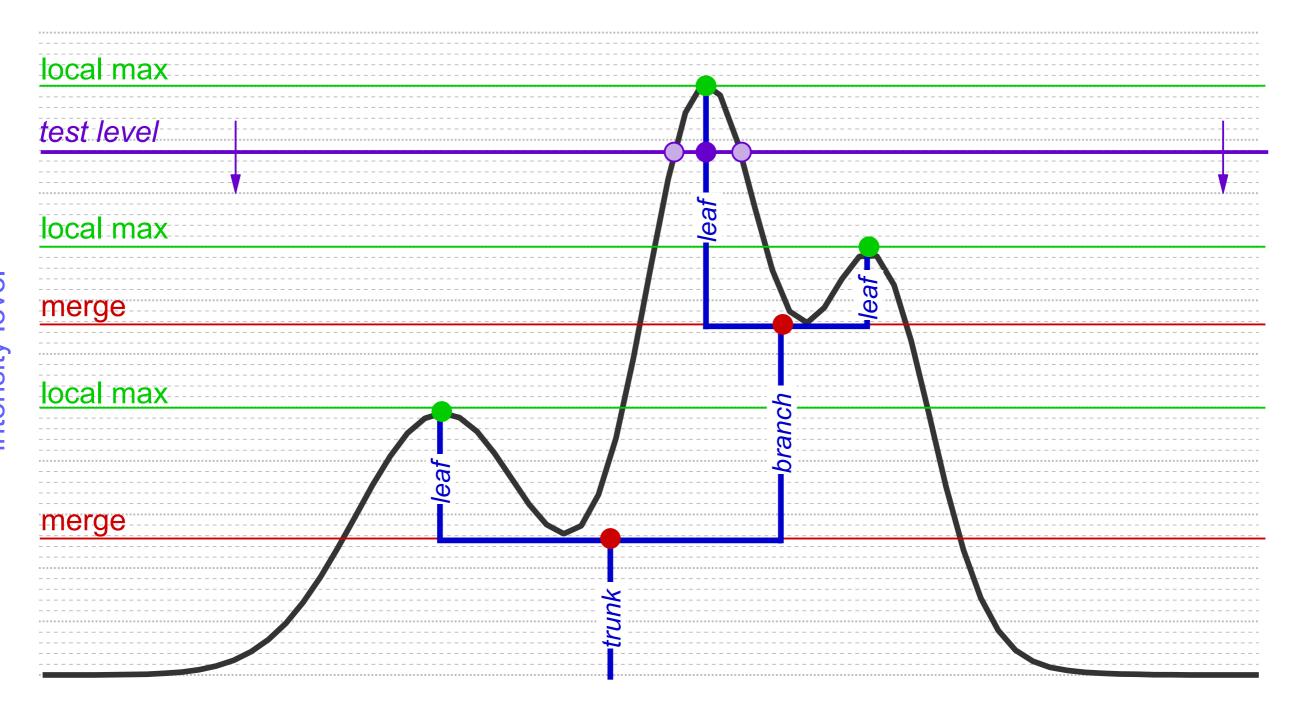
"p-p-v" cubes

True 3D Structure

What's bound?/ Virial Theorem



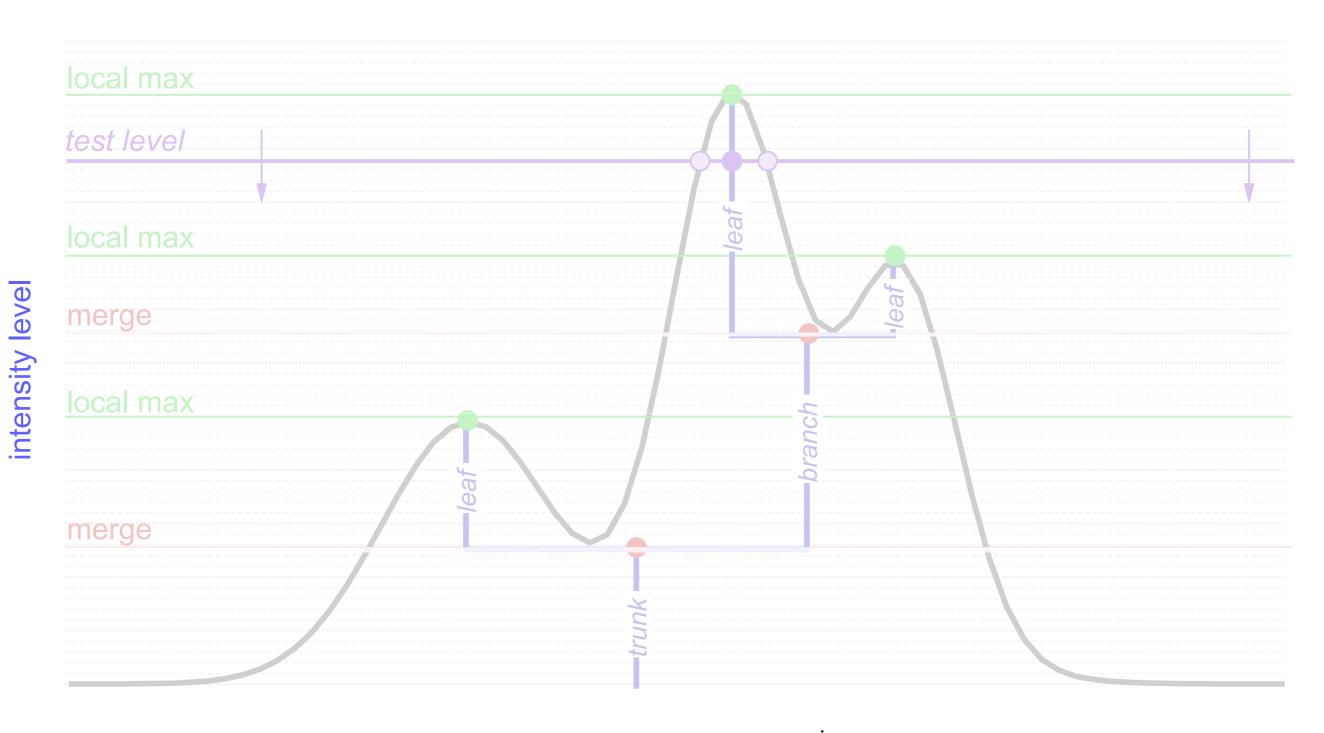
Dendrograms



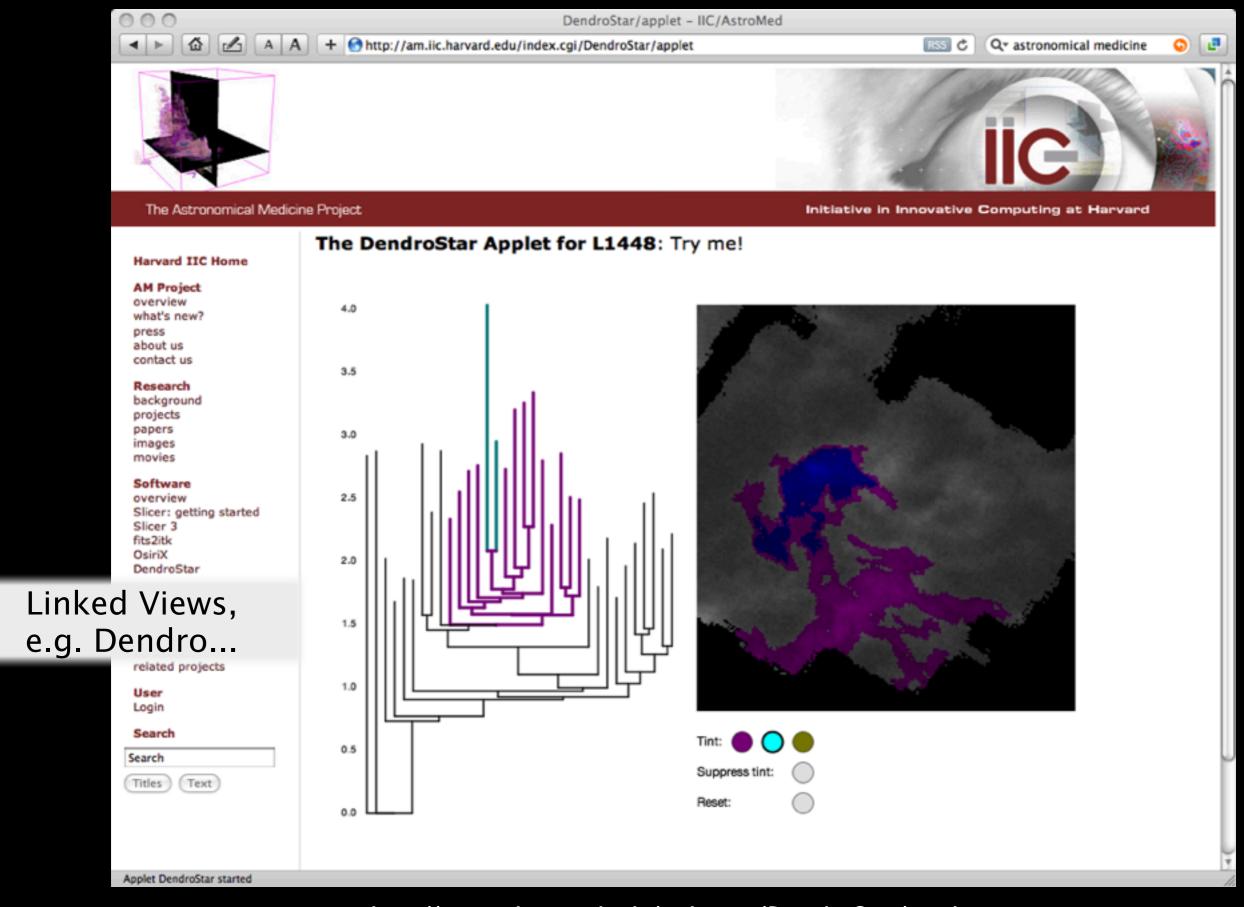
Hierarchical "Segmentation"

Rosolowsky, Pineda, Kauffmann & Goodman 2008

Dendrograms



I-D: points; 2-D closed curves (contours); 3-D surfaces enclosing volumes see 2D demo at http://am.iic.harvard.edu/index.cgi/DendroStar/applet



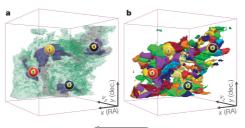
http://am.iic.harvard.edu/index.cgi/DendroStar/applet

Dendrogram Algorithm by Erik Rosolwosky; Applet by Douglas Alan

Taste-Testing "Gravity"

LETTERS

NATURE Vol 457 | 1 January 2009



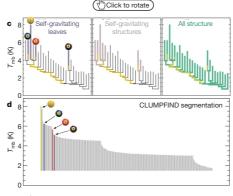


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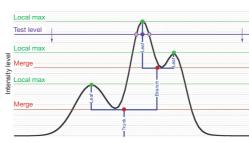


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Goodman et al. Nature, 2009

True 3D Structure

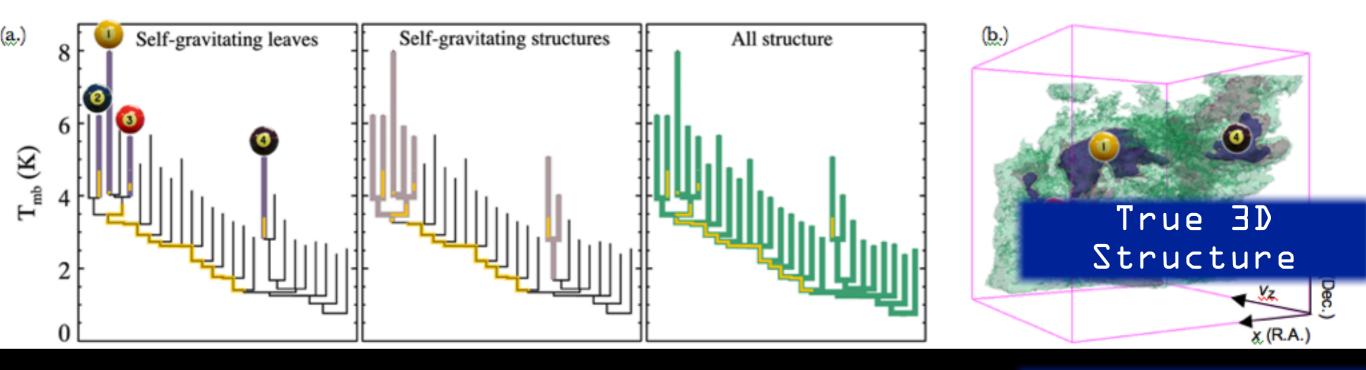
What's bound?/ Virial Theorem





3D PDF

What's Bound? Can we Know?



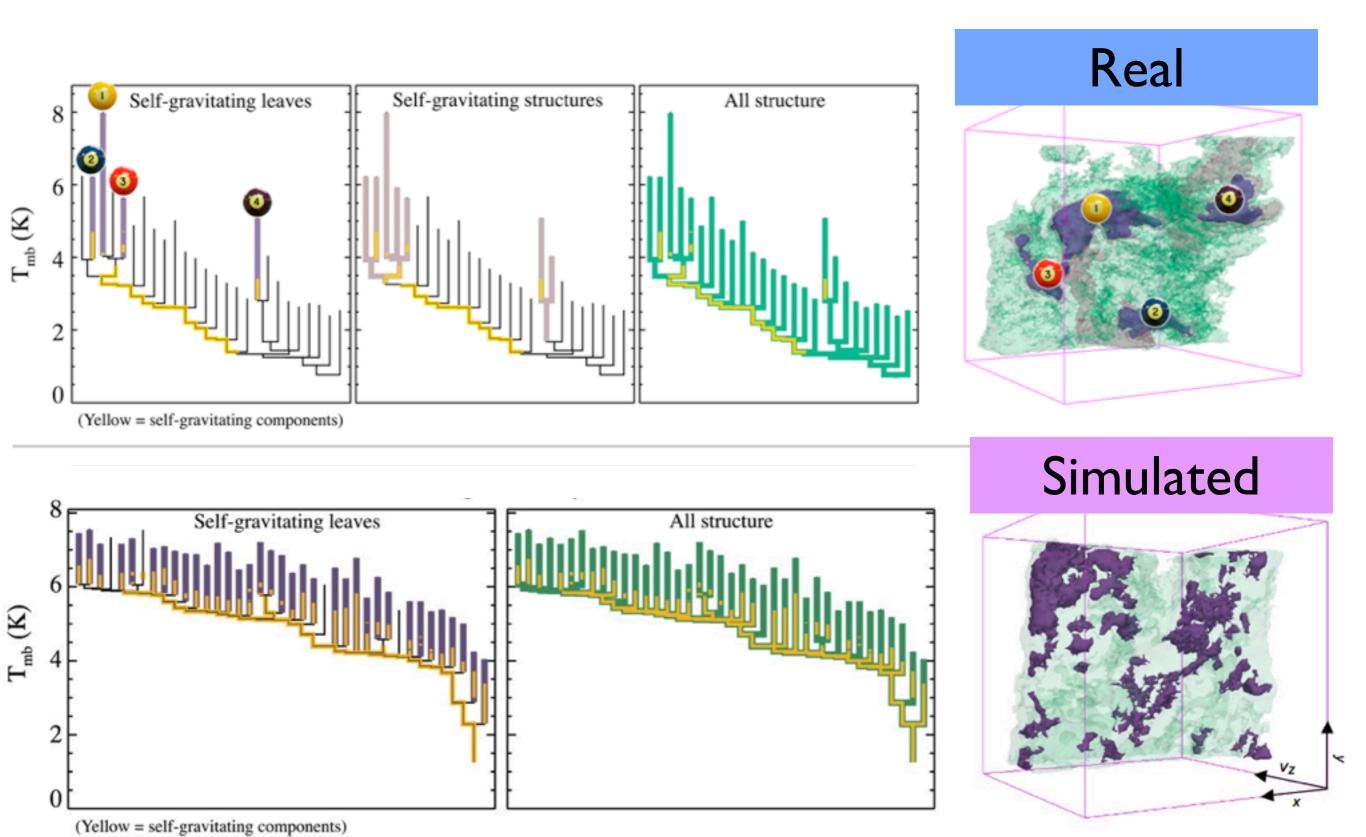
Yellow highlighting= "self-gravitating" Virial Theorem

"Self-gravitating" here just means $\alpha_{vir} (=5 \text{ s}_v^2 R/GM_{lum}) < 2$ (à la Bertoldi & McKee 1992–BUT–see Shetty et al. 2010)

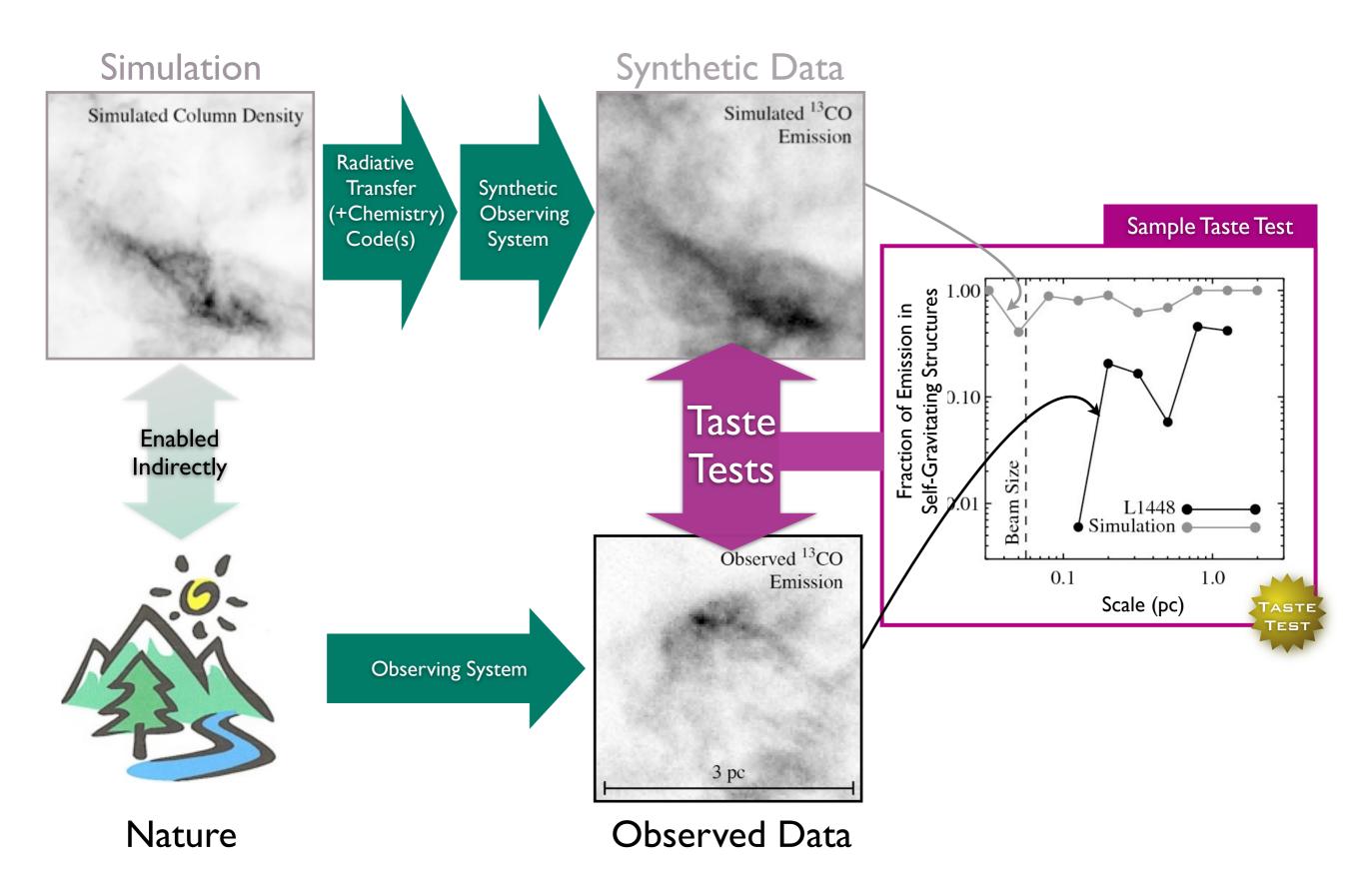
Rosolowsky et al. 2008 (ApJ) & Goodman et al. 2009 (Nature)

see PDF...

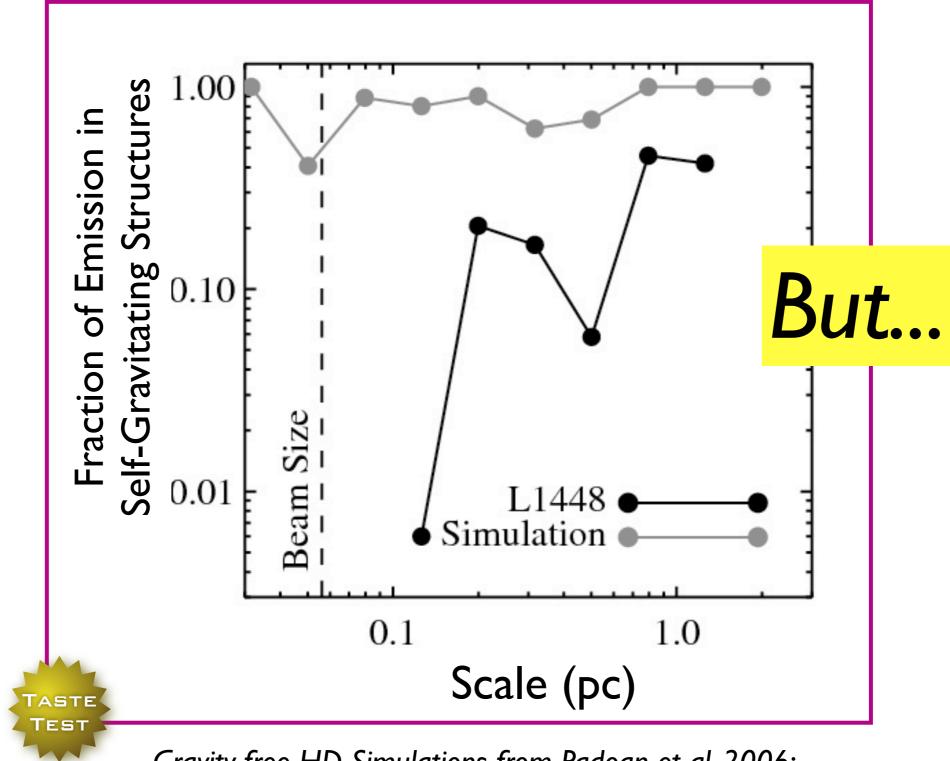
Real and Simulated 13CO



The Taste-Testing Process

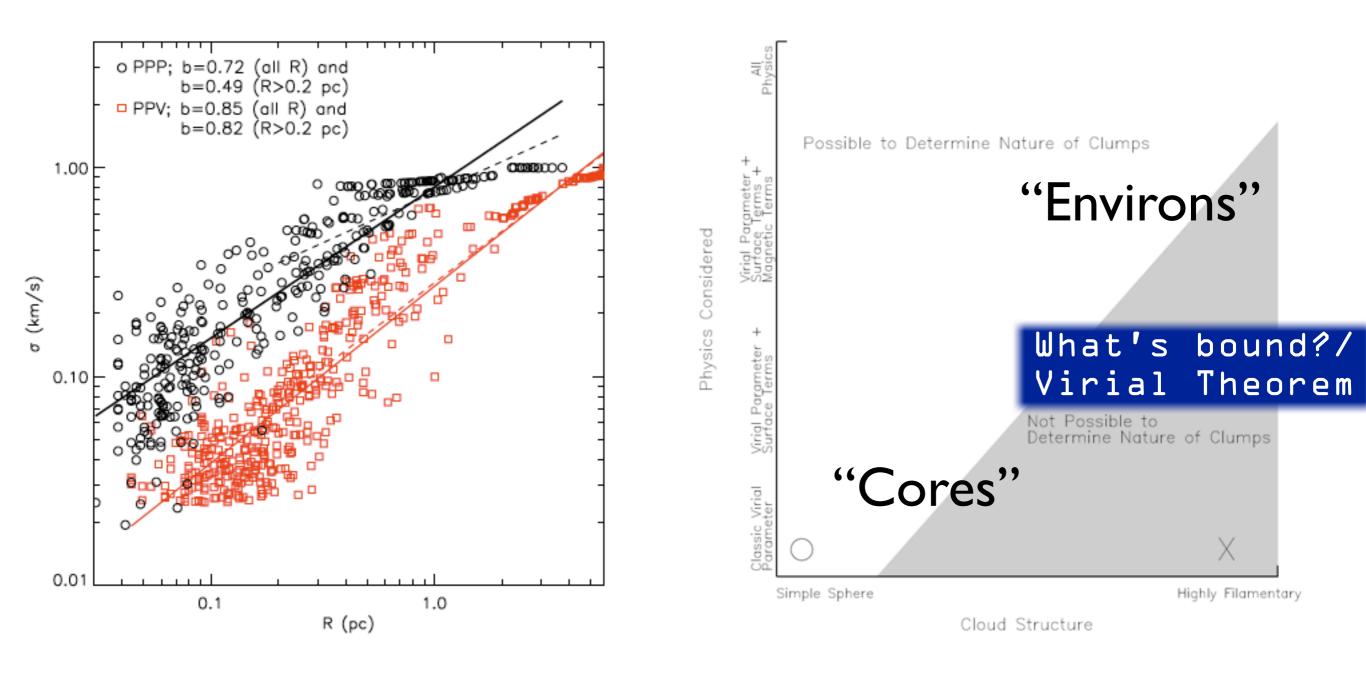


Taste-Testing "Gravity"



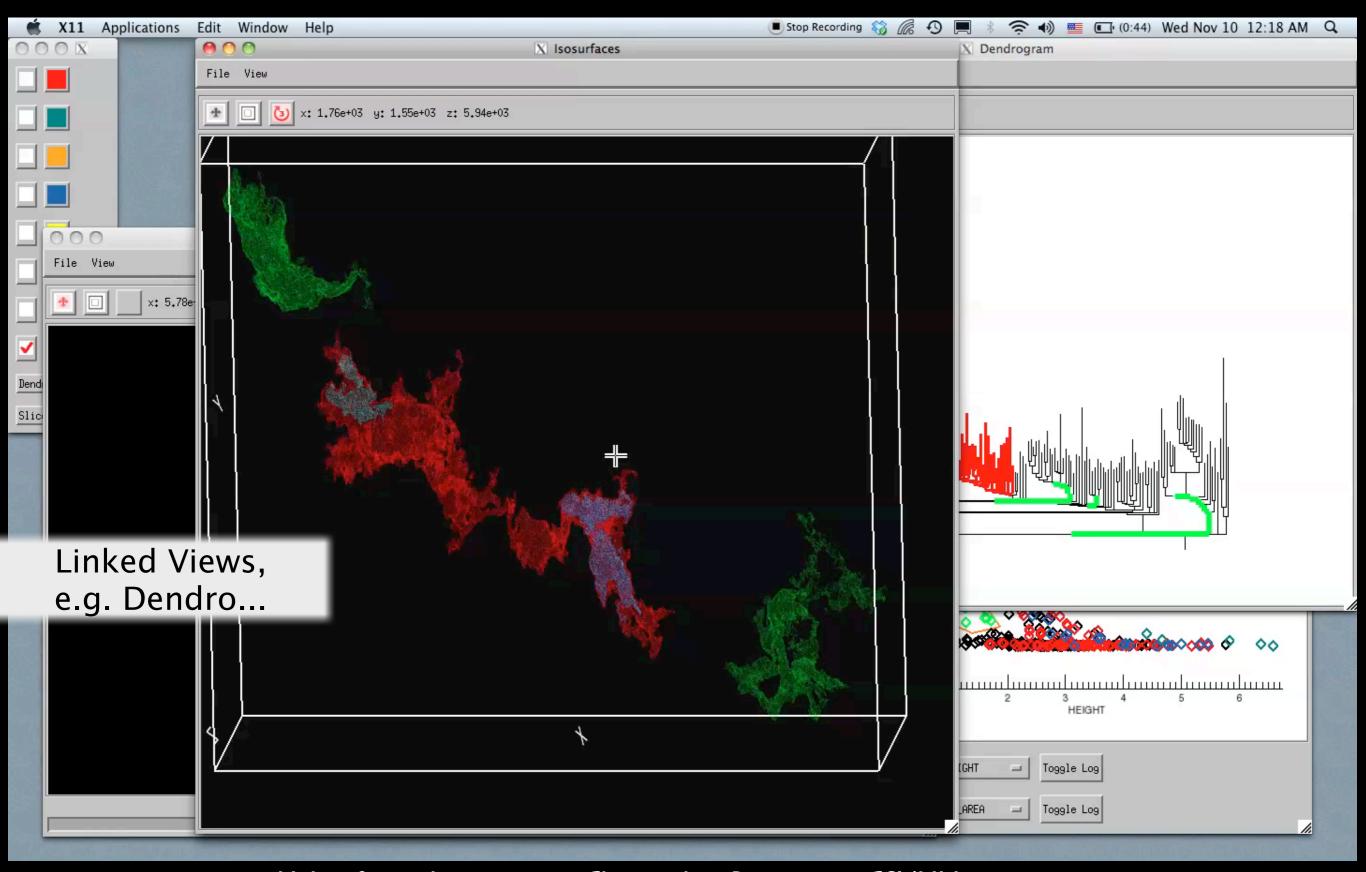
Gravity-free HD Simulations from Padoan et al. 2006; L1448 analysis from Rosolowsky et al. 2008 both lines derived from ¹³CO "observations"

But... Caveats/Worries about p-p-v (bijection) ... and the virial parameter



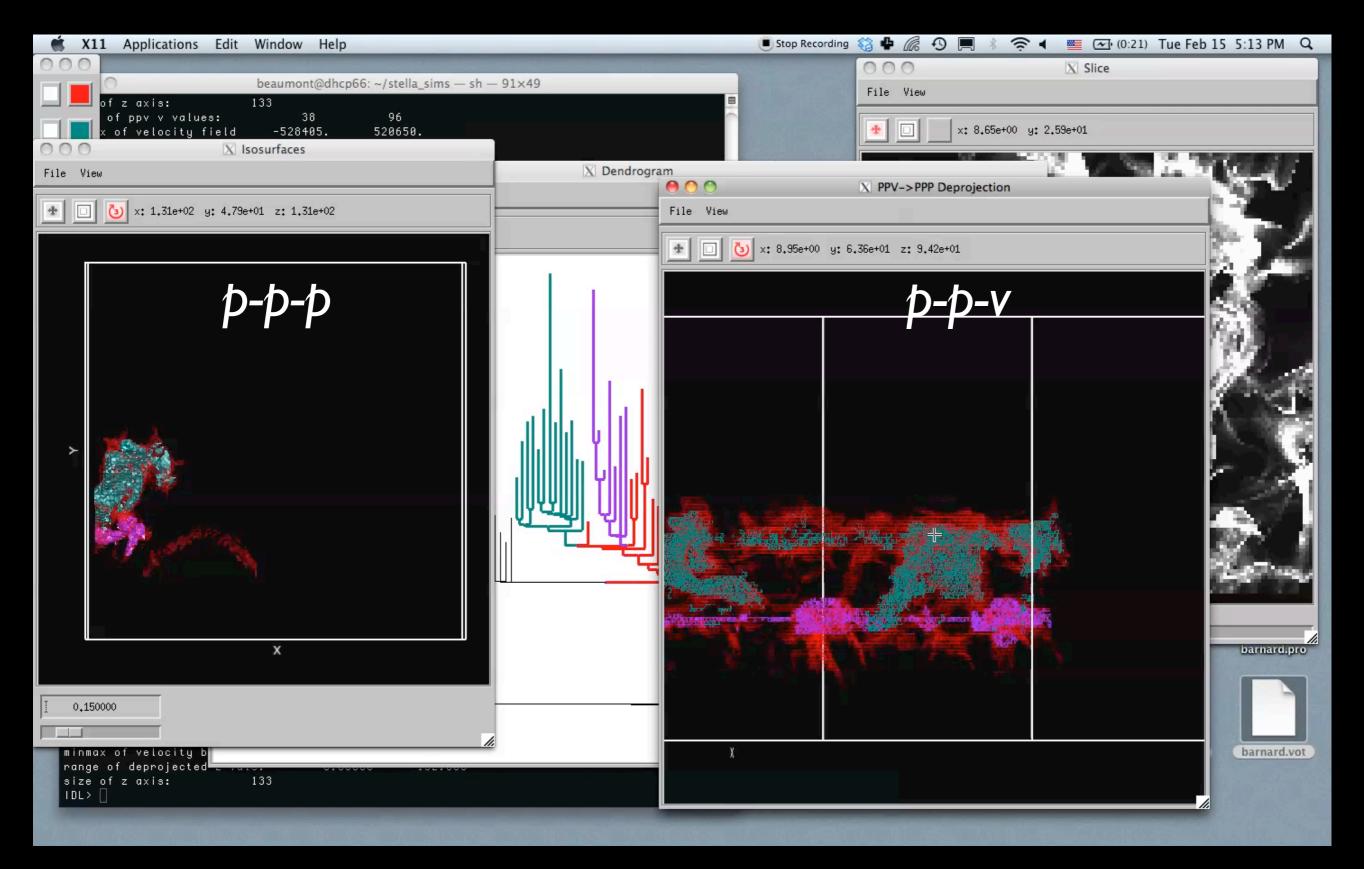
from **Shetty**, Collins, Kauffmann, Goodman, Rosolowsky & M. Norman 2010; see also recent work of Dib et al., Ostriker et al., Ballesteros-Paredes et al., Myers, and Smith, Clark & Bonnell

Linked Dendrogram Views in IDL (1)

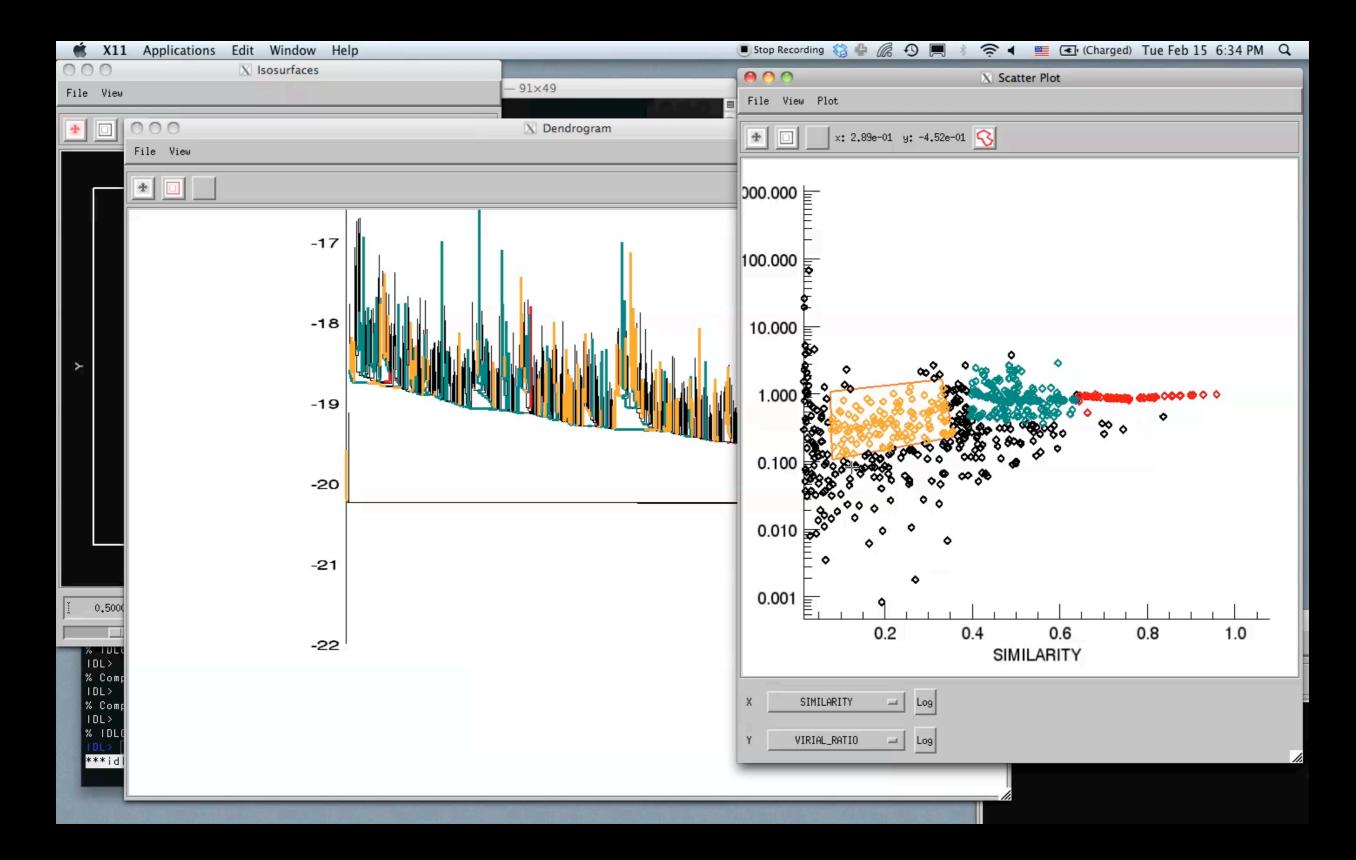


Video & implementation: Christopher Beaumont, CfA/UHawaii; inspired by AstroMed work of Douglas Alan, Michelle Borkin, AG, Michael Halle, Erik Rosolowsky

Linked Dendrogram Views in IDL (2)



Linked Dendrogram Views in IDL (3)



up

SHOCK-GENERATED VORTICITY IN THE INTERSTELLAR MEDIUM AND THE ORIGIN OF THE STELLAR INITIAL MASS FUNCTION

N. KEVLAHAN^{1,2} AND RALPH E. PUDRITZ²

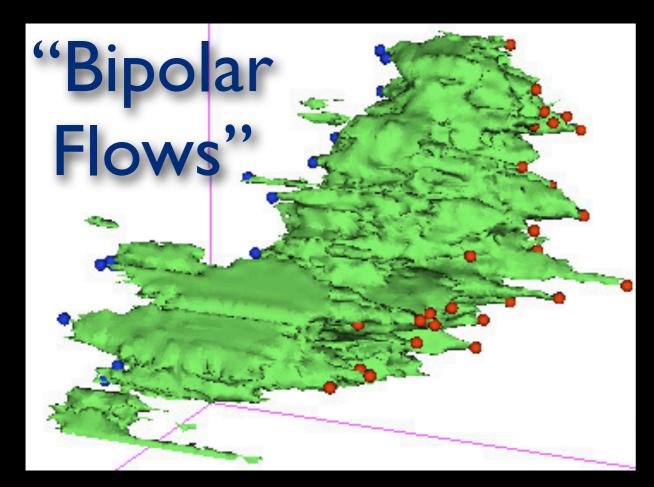
Department of Mathematics & Statistics, McMaster University, Hamilton, ON L8S 4K1, Canada; kevlahan@mcmaster.ca
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Received 2009 February 19; accepted 2009 June 29; published 2009 August 7

ABSTRACT

Observations of the interstellar medium (ISM) and molecular clouds suggest these astrophysical flows are strongly turbulent. The main observational evidence for turbulence is the power-law energy spectrum for velocity fluctuations, $E(k) \propto k^{\alpha}$, with $\alpha \in [-1.5, -2.6]$. The Kolmogorov scaling exponent, $\alpha = -5/3$, is typical. At the same time, the observed probability distribution function (PDF) of gas densities in both the ISM as well as in molecular clouds is a log-normal distribution, which is similar to the initial mass function (IMF) that describes the distribution of stellar masses. In this paper we examine the density and velocity structure of interstellar gas traversed by curved shock waves in the kinematic limit. We demonstrate mathematically that just a few passages of curved shock waves generically produces a log-normal density PDF. This explains the ubiquity of the log-normal PDF in many different numerical simulations. We also show that subsequent interaction with a spherical blast wave generates a power-law density distribution at high densities, qualitatively similar to the Salpeter power law for the IMF. Finally, we show that a focused shock produces a downstream flow with energy spectrum exponent $\alpha = -2$. Subsequent shock passages reduce this slope, achieving $\alpha \approx -5/3$ after a few passages. We argue that subsequent dissipation of energy piled up at the small scales will act to maintain the spectrum very near to the Kolomogorov value despite the action of further shocks that would tend to reduce it. These results suggest that fully developed turbulence may *not* be required to explain the observed energy spectrum and density PDF. On the basis of these mathematical results, we argue that the self-similar spherical blast wave arising from riles expanding H II regions or stellar winds from massive stars may ultimately be responsible for cre What mass, power-law, Salpeter-like tail on an otherwise a log-normal density PDF for gas in star-formi the ISM? IMF arises from the gravitational collapse of sufficiently overdense regions within this PDF. Thus nature of the IMF-a log-normal plus power-law distribution-is shown to be a natural conseq

Key words: ISM: kinematics and dynamics – ISM: structure – shock waves – stars: formation – stars: luminosity function, mass function – turbulence

interaction and feedback from the most massive stars that form in most regions of star formation in the galaxy.



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THE COMPLETE SURVEY OF OUTFLOWS IN PERSEUS

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**Received 2009 October 7; accepted 2010 April 9; published 2010 May 7

ABSTRACT

We present a study on the impact of molecular outflows in the Perseus molecular cloud complex using the COMPLETE Survey large-scale ¹²CO(1–0) and ¹³CO(1–0) maps. We used three-dimensional isosurface models generated in right ascension-declination-velocity space to visualize the maps. This rendering of the molecular line data allowed for a rapid and efficient way to search for molecular outflows over a large (~16 deg²) area. Our outflow-searching technique detected previously known molecular outflows as well as new candidate outflows. Most of these new outflow-related high-velocity features lie in regions that have been poorly studied before. These new outflow candidates more than double the amount of outflow mass, momentum, and kinetic energy in the Perseus cloud complex. Our results indicate that outflows have significant impact on the environment immediately surrounding localized regions of active star formation, but lack the energy needed to feed the observed turbulence in the *entire* Perseus complex. This implies that other energy sources, in addition to protostellar outflows, are responsible for turbulence on a global cloud scale in Perseus. We studied the impact of outflows in six regions with active star formation within Perseus of sizes in the range of 1–4 pc. We find that outflows have enough power to maintain the turbulence in these regions and enough momentum to disperse and unbind some mass from them. We found no correlation between outflow strength and star formation efficiency (SFE) for the six different regions we studied, contrary to results of recent numerical simulations. The low fraction of gas that potentially could be ejected due to outflows suggests that additional mechanisms other than cloud dispersal by outflows are needed to explain low SFEs in clusters.

Key words: ISM: clouds – ISM: individual objects (Perseus) – ISM: jets and outflows – ISM: kinematics and dynamics – stars: formation – turbulence

Online-only material: color figures

Arce et al. 2010, 2011



COMPLETE Shells in Perseus

ABSTRACT

We present a study on the shells in the Perseus molecular cloud using the COM-PLETE survey large-scale \$^{12}CO(1-0)\$ and \$^{13}CO(1-0)\$ maps. The shells are spread throughout most of the Perseus cloud and have circular or arc-like morphologies with a range in radius of about 0.2 to 3 pc. Most of the CO shells are coincident with near-infrared nebulosity of similar shape and have a candidate powering source near the center. We suggest they are formed by the interaction of spherical or very wide-angle winds powered by young stars inside or near the Perseus molecular cloud complex —a cloud that is commonly considered a low-mass star forming region. It is clear that two of the twelve shells are powered by high-mass stars near the cloud, while the others appear to be powered by low or interme winds with a mass loss rate of about 10 observed shells, which are clearly impact

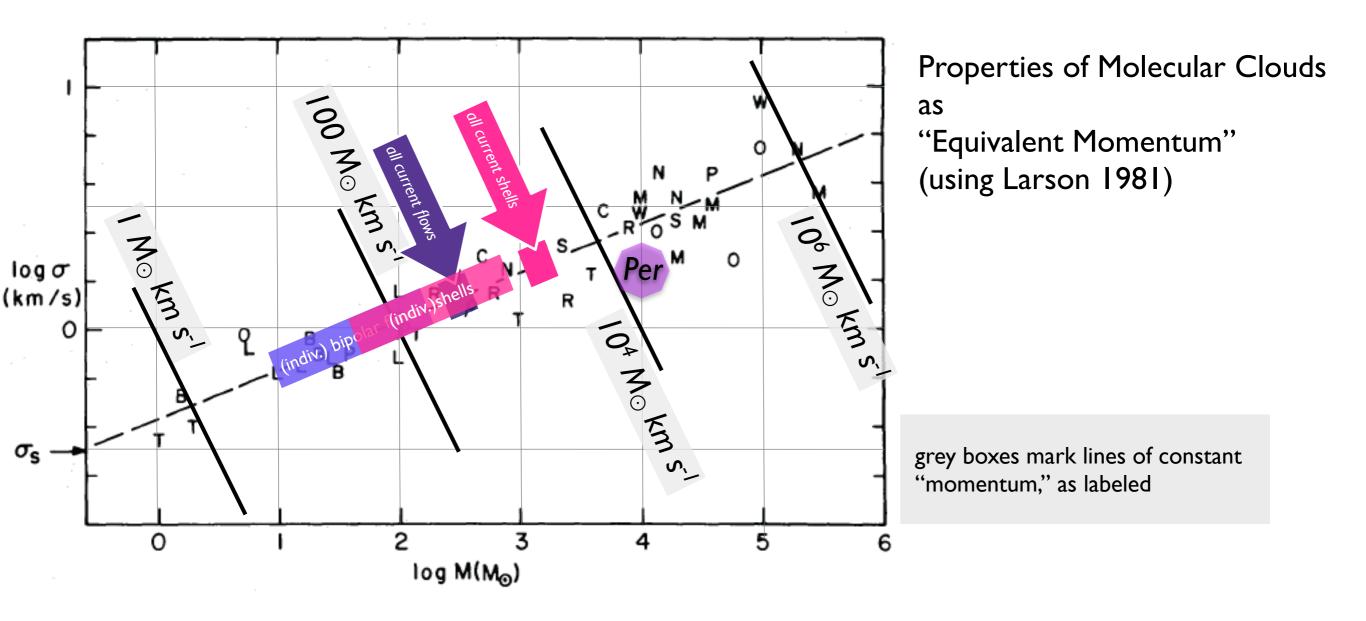
winds with a mass loss rate of about 10observed shells, which are clearly impact
age of the pre-main sequence stars in to
mass loss rate. Our estimates indicate the
that create the shells is similar to the tu
energy input from both collimated protostellar outflows and powerful spherical winds
from young stars is sufficient to maintain the turbulence in the molecular cloud. Most
of the shells had not been detected before, most likely as maps of the region lacked
the coverage and resolution needed to distinguish the shells. Large scale molecular line
and IR continuum maps of a sample of other clouds will help investigate the frequency

Subject headings: star: formation — ISM: jets and outflows — ISM: clouds — ISM: individual (Perseus) — ISM: kinematics and dynamics — turbulence

of powerful shells from low-mass stars and the impact from stellar winds from nearby

massive stars on low-mass star forming regions

Arce, Beaumont, Borkin, Pineda, Goodman



What "upshifts" are justified?....

IOTW, how do we go from a "snapshot" to cumulative effects?

Note theory gives ~10 to 1000 M_{\odot} km s⁻¹ per B-star wind.

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ick here to see the full tutorial or browse e site to find out more about the science hind the Milky Way Project.

What riles up the ISM?

PROJECT.ORG/G... 2 12 DAYS AGO
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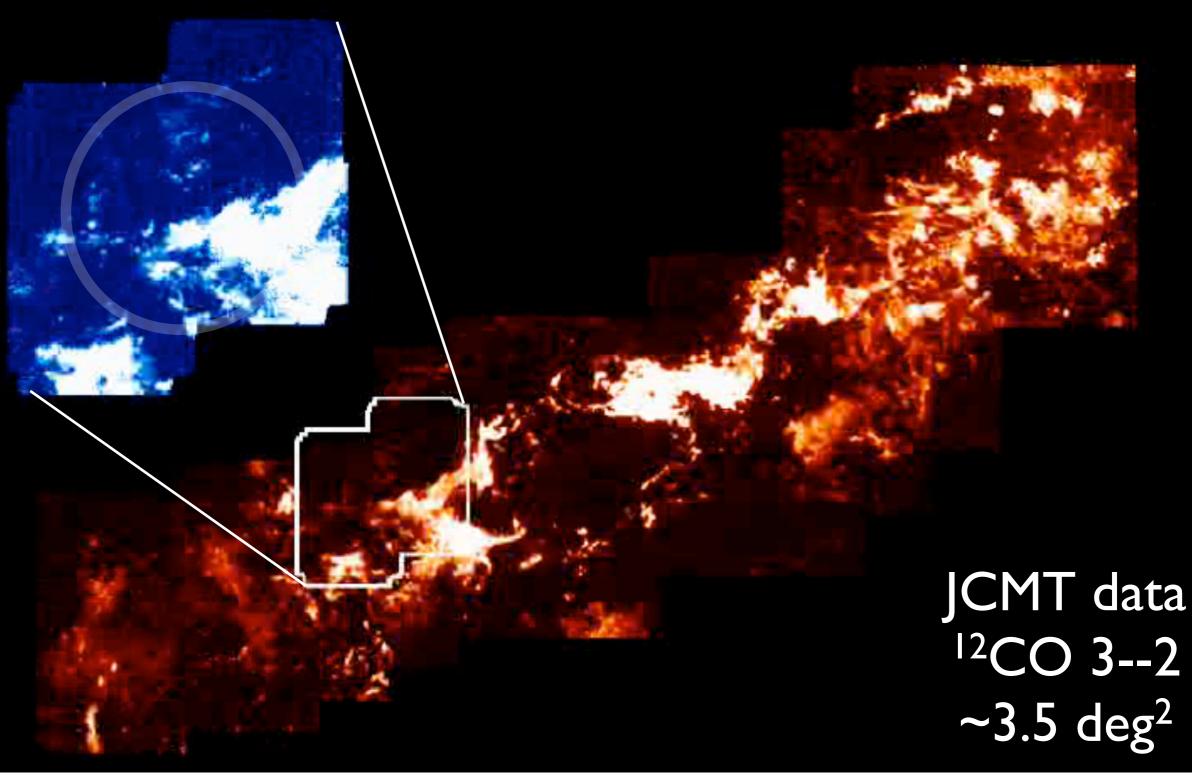
Machine Learning

YOU CAN NOW SEE HOW CLOSE WE ARE TO 1,1
194,943 IMAGES SERVED · 252,562 BUBBLES DRAWN · 3

(p-p-v) Case Study (Beaumont)

"Buried" SNR G16.05-0.57

All of MI7



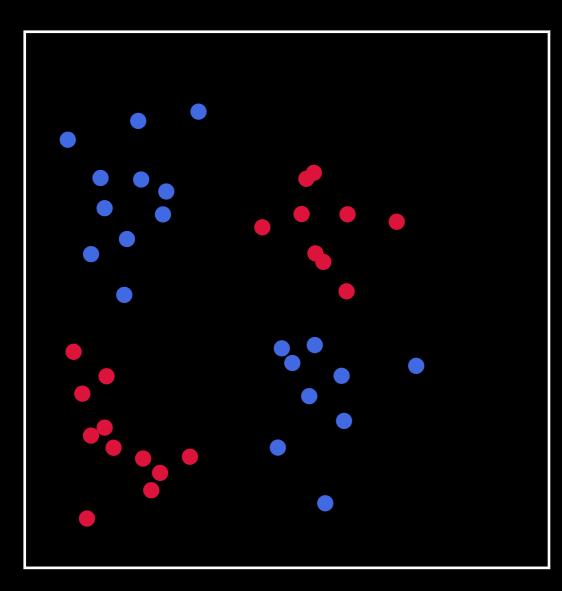
Support Vector Machines in One Minute (SVM is a kind of "Machine Learning")

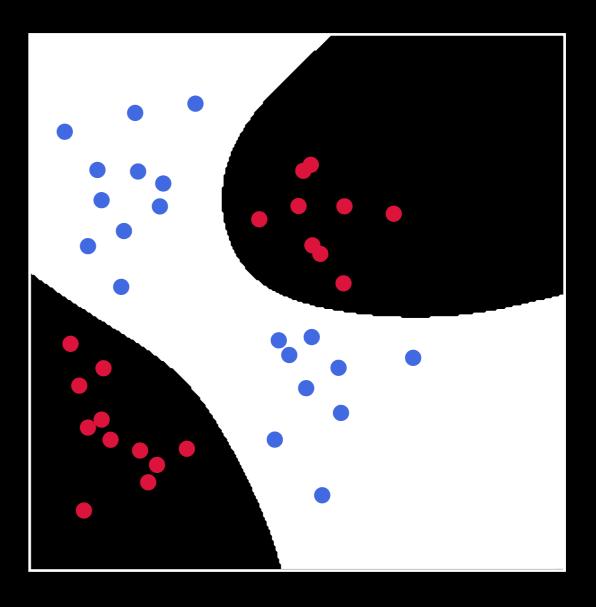
Feature 2 ("Linewidth")

Feature I ("Intensity")

Support Vector Machines in One Minute

Feature 2 ("Linewidth")



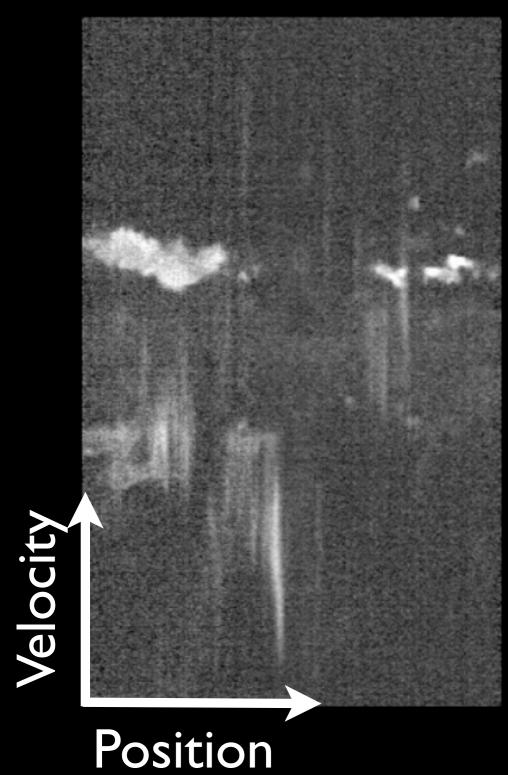


Feature I ("Intensity")

Training Set

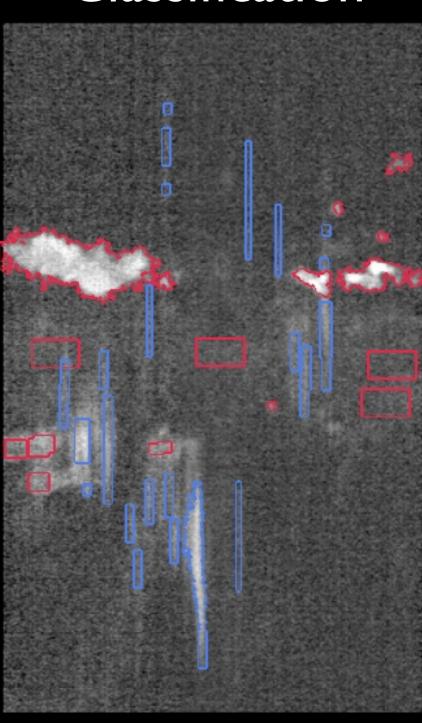
Slice

Classification

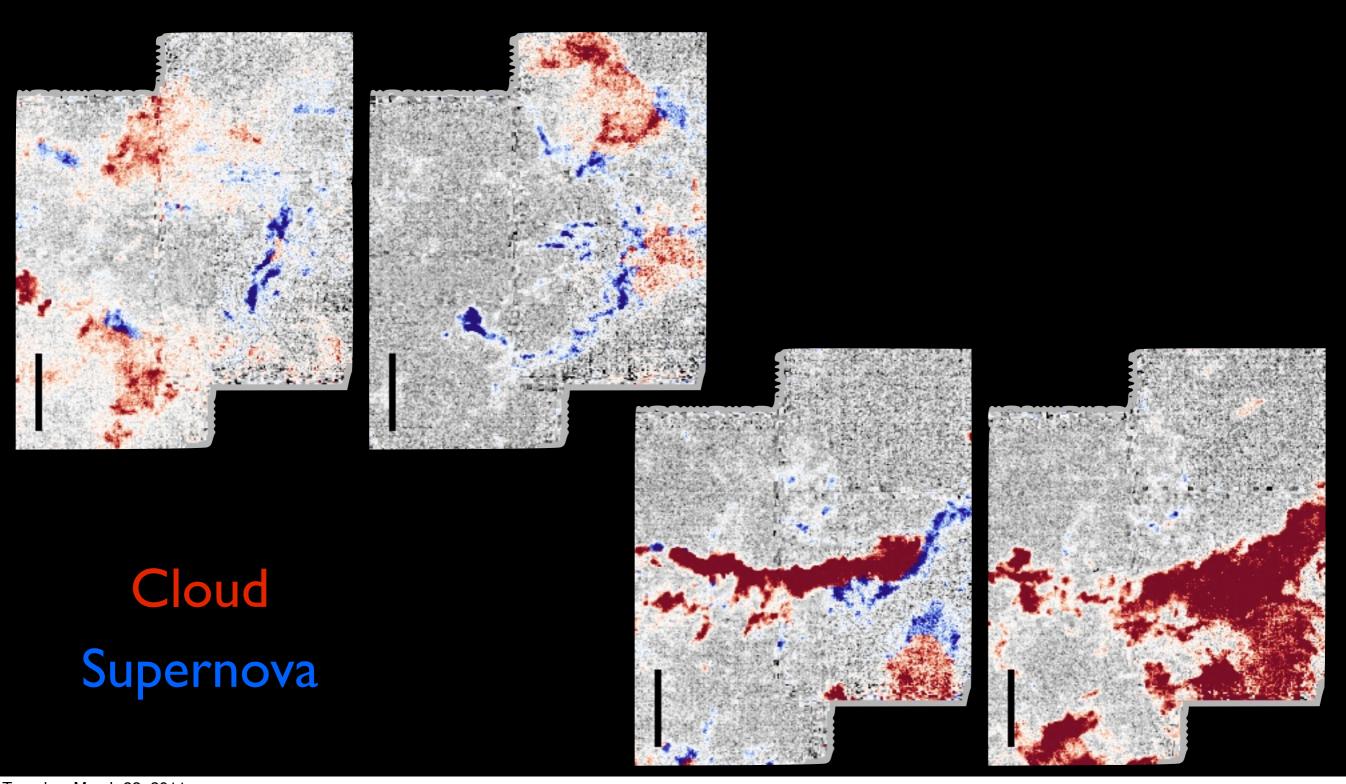


Cloud Supernova

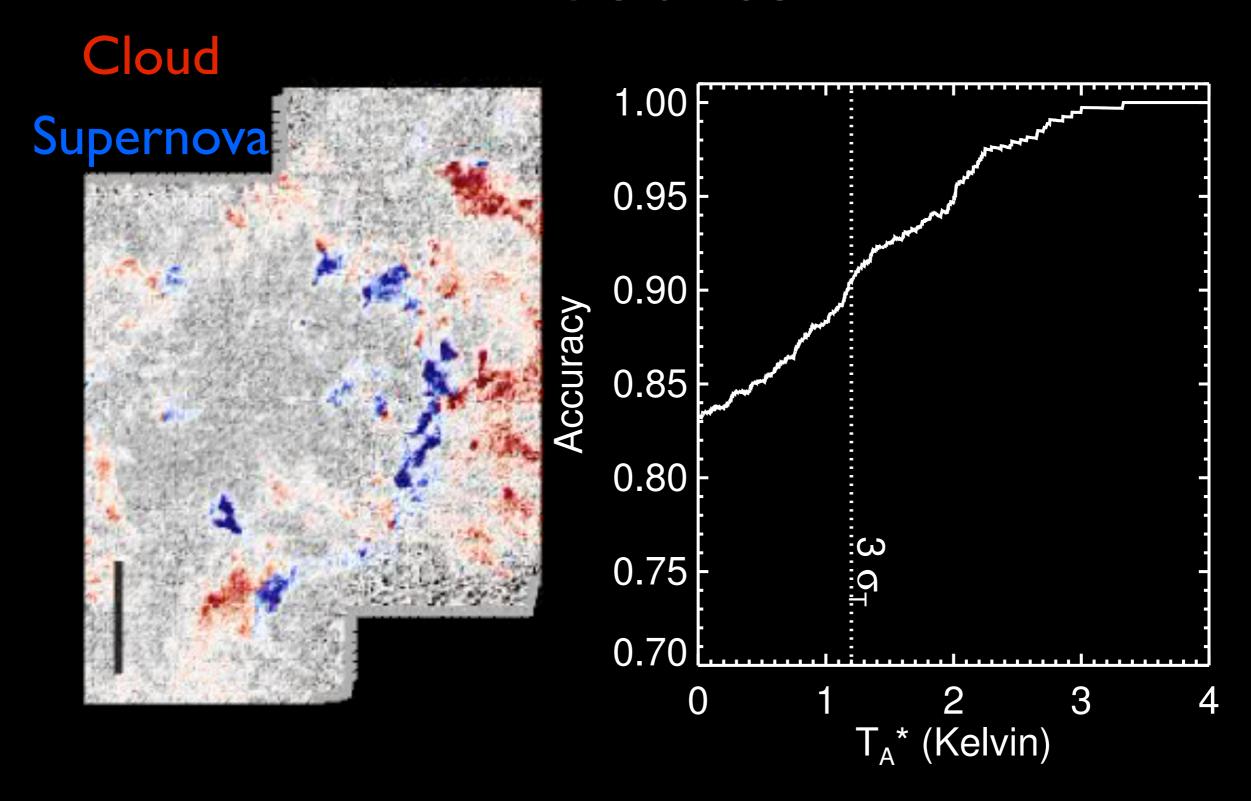
(regions defined via rectangles and contours)



Results



Results



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> What riles up the ISM?

Machine Learning

YOU CAN NOW SEE HOW CLOSE WE ARE TO 1,000,000 DRAWINGS AT HTTP://WWW.MILKYWAYPROJECT.ORG/G... 📘 12 DAYS AGO 194,943 IMAGES SERVED · 252,562 BUBBLES DRAWN · 24,234 POSSIBLE STAR CLUSTERS · 8,978 CANDIATE GALAXIES · 597,054 OTHER OBJECTS © COPYRIGHT 2010 ZOONIVERSE

High-Dimensional Data

AstroMed

Simulations

3D PDF

Linked Views, e.g. Dendro...

Machine Learning

WWT-"NUIs"-Seamless Astronomy Star Formation

"p-p-v" cubes

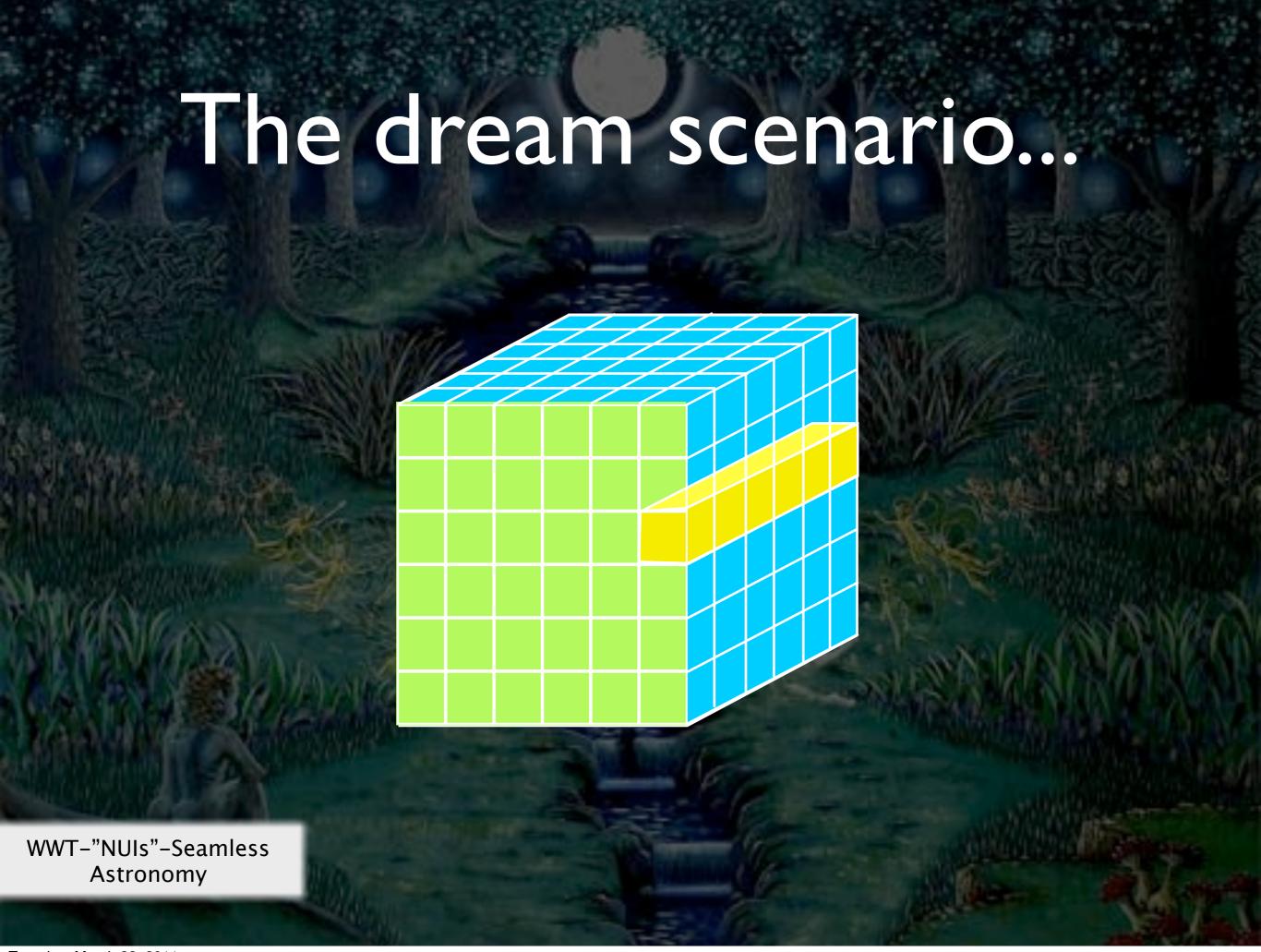
True 3D Structure

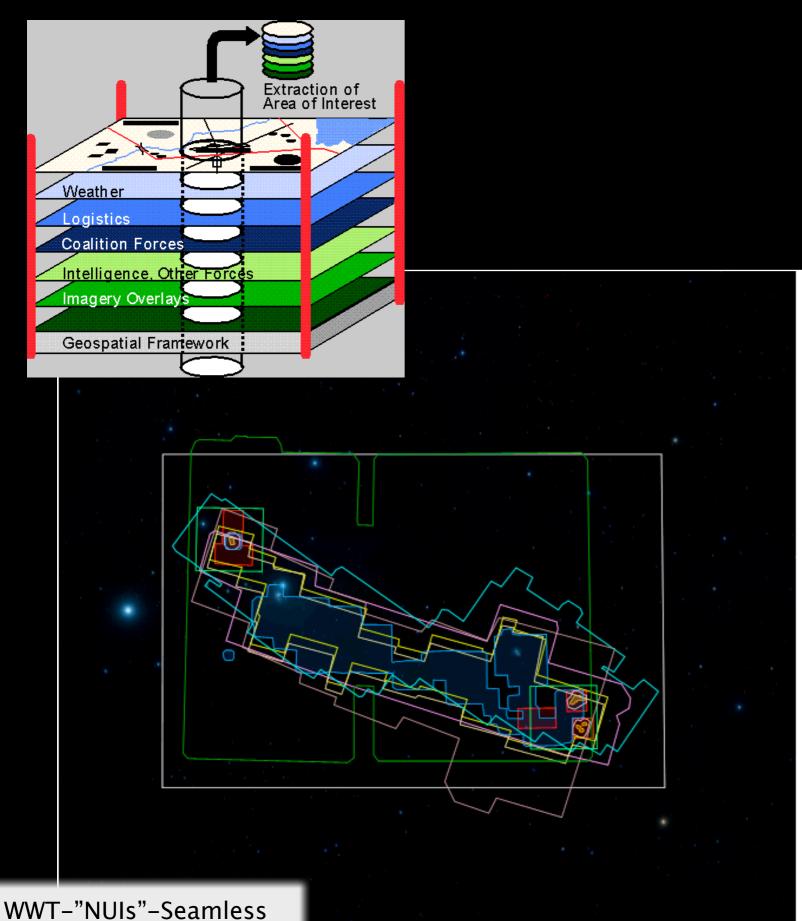
What's bound?/ Virial Theorem

What riles up the ISM?

3D Milky Waya Predictive KS?

The Future





PLETE

COMPLETE Data Available Center on Perseus Center on Ophichus Center on Serpens Full-Cloud Data (Phase I, All Data Available) Show Perseus Ophiuchus Serpens Link Dataset GBT: HI Data Cube Data IRAS: Av/Temp Maps Data > FCRAO: 12CO Data FCRAO: 13CO Data JCMT: 850 microns Spitzer c2d: IRAC 1,3 (3.6,5.8 µm) Data Spitzer c2d: IRAC 2,4 (4.5,8 µm) Data CSO/Bolocam: 1.2-mm Ø Data Spitzer MIPS: Derived Dust Map Data Targeted Regions (Phase II, Some Data Not Yet Available) alar Alto: NIR (J,H,Ks) Data RAM 30-m: N2H+ and C18O Ø Ø <u>Data</u> IRAM 30-m: 1.1-mm continuum Ø Ø <u>Data</u> Megacam/MMT: r,i,z images Data **Catalogs & Pointed Surveys NH3 Pointed Survey** Data YSO Candidate list (c2d) Data

Tuesday, March 22, 2011

Astronomy

Seamless Astronomy

Alberto Accomazzi, Doug Burke, Alberto Conti, Carol Christian, Mercé Crosas, Raffaele D'Abrusco, Rahul Davé, Christopher Erdmann, Jonathan Fay, Jay Luker, Alyssa Goodman, Michael Kurtz, Gus Muench, Alberto Pepe, Curtis Wong

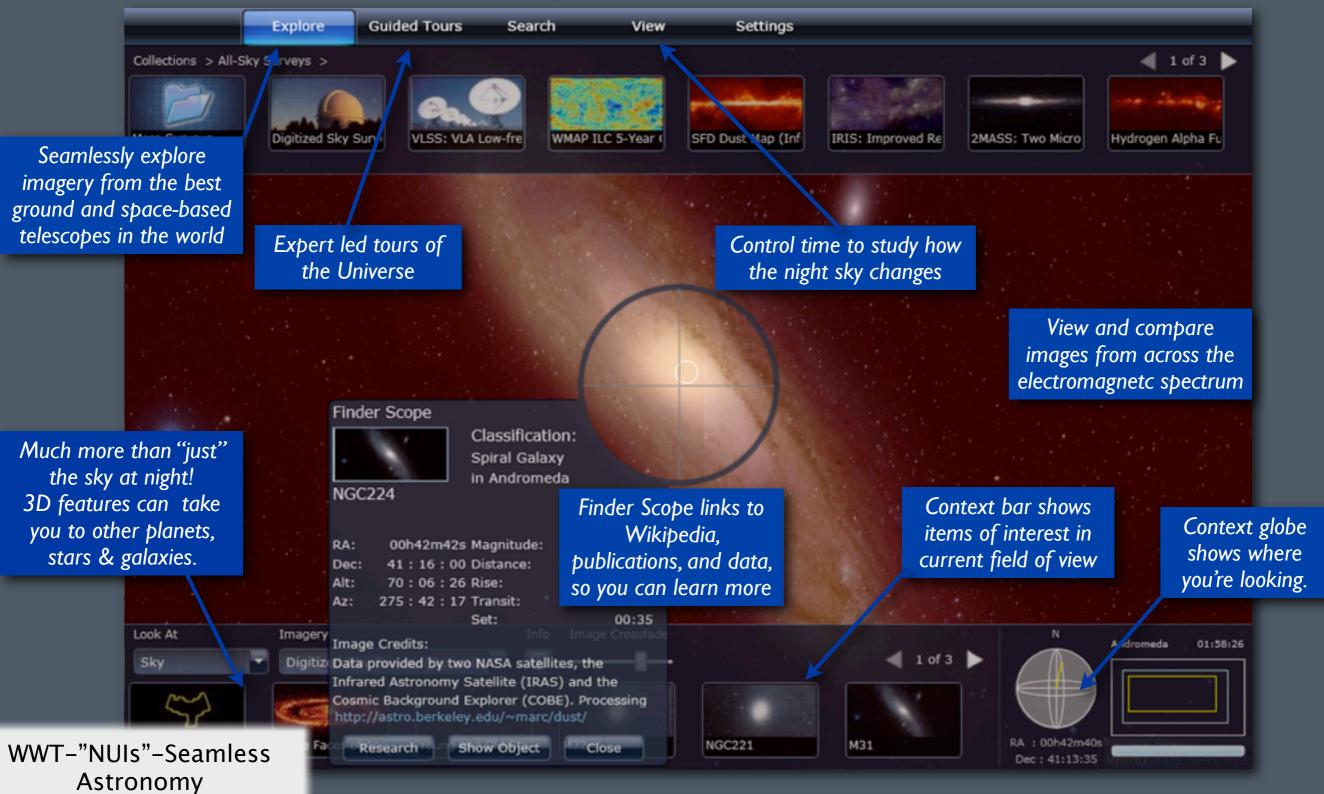


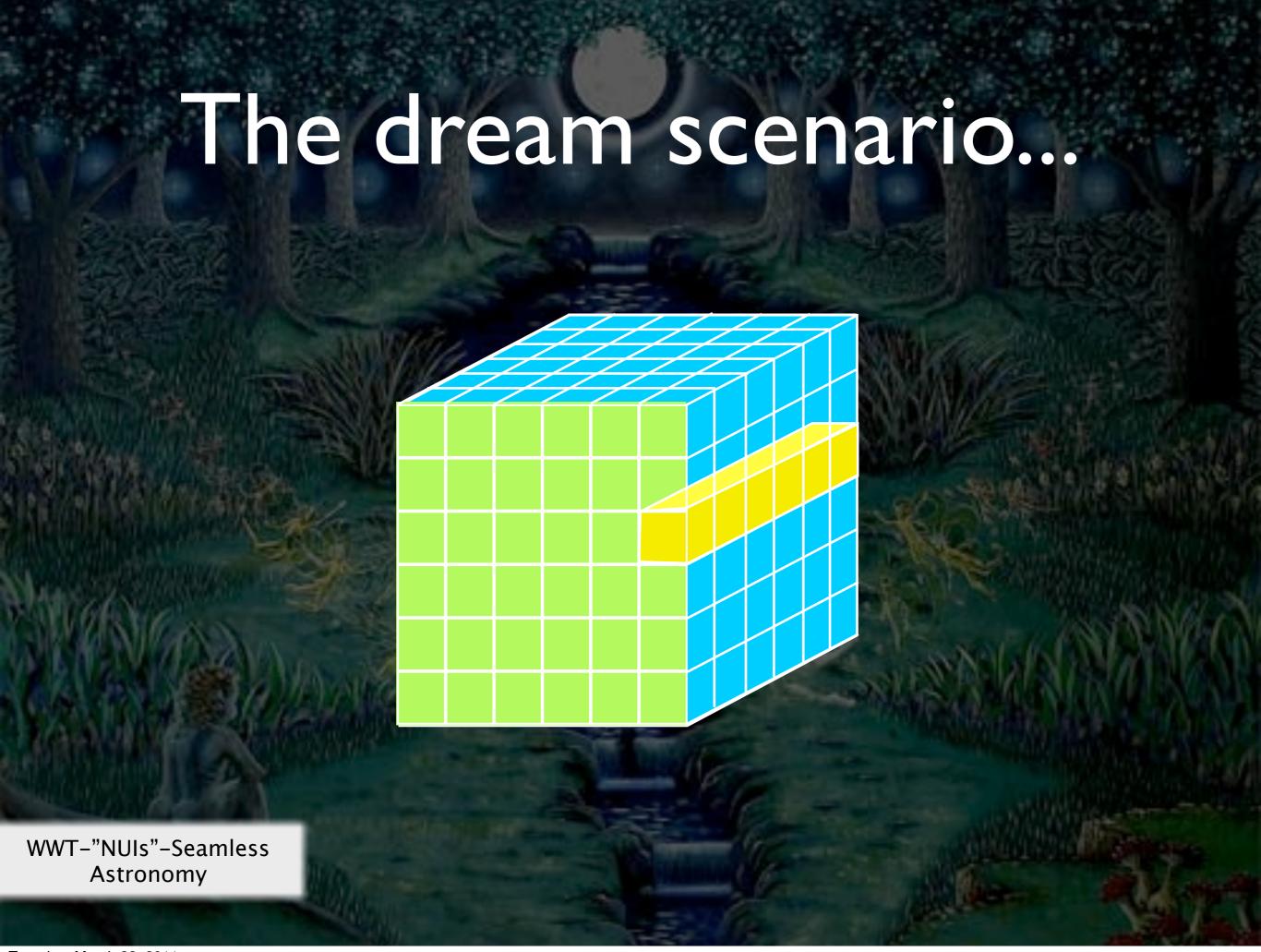
WWT-"NUIs"-Seamless Astronomy





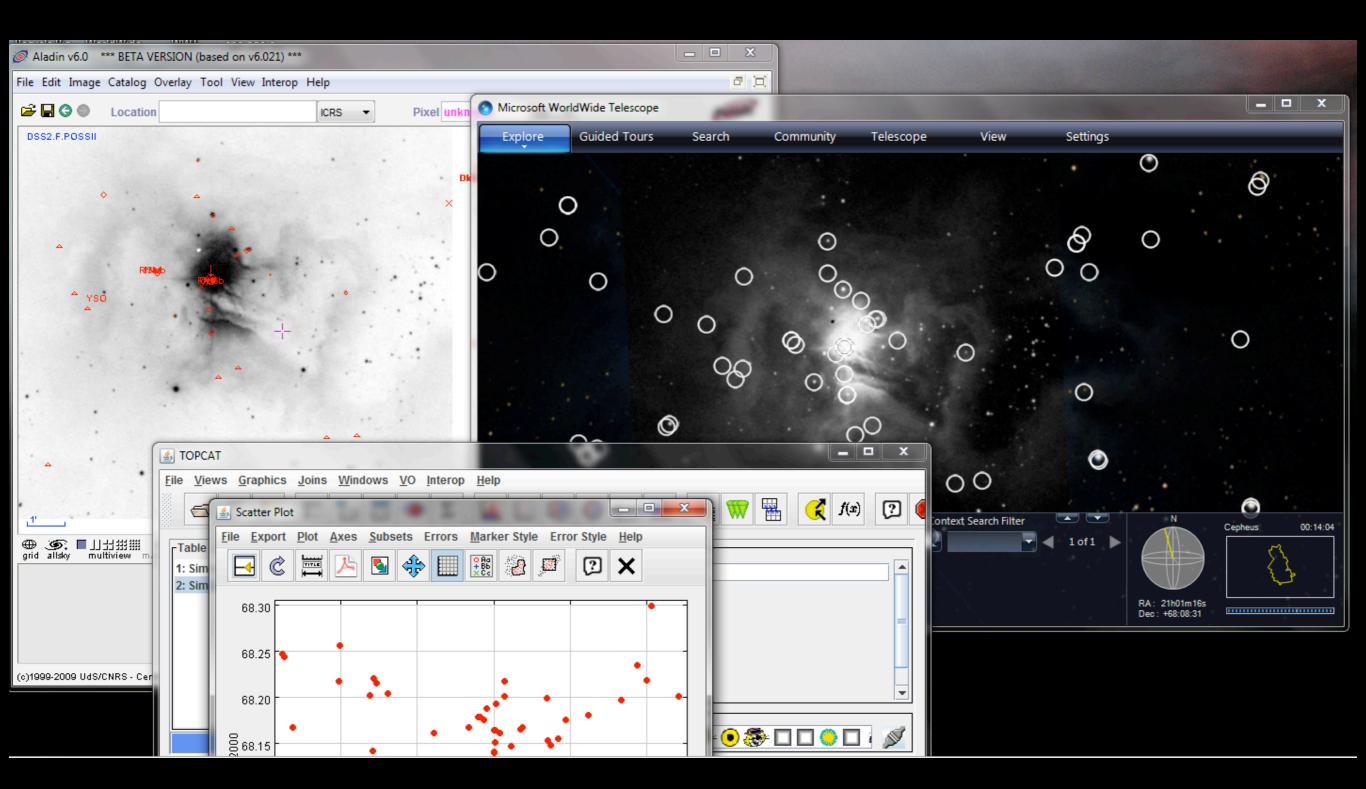
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Challenge #2:Too many windows...



Challenge #3:

What does "Publication-Quality" Graphics Mean in an Interactive 3D World?



Tuesday, March 22, 2011

TTERS NATURE|Vol 457|1 January 2009

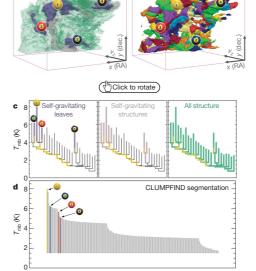


Figure 2 | Comparison of the 'dendrogram' and 'CLUMPFIND' feature-identification algorithms as applied to ¹³CO emission from the 11448 region of Perseus. a, 3D visualization of the surfaces indicated by colours in the dendrogram shown in c. Purple illustrates the smallest scale self-gravitating structures in the region corresponding to the leaves of the dendrogram; pink shows the smallest surfaces that contain distinct self-gravitating leaves within them; and green corresponds to the surface in the data cube containing all the significant emission. Dendrogram branches corresponding to self-gravitating objects have been highlighted in yellow over the range of T_{mb} (main-beam temperature) test-level values for which the virial parameter is less than 2. The x-y locations of the four 'self-gravitating' leaves labelled with billiard balls are the same as those shown in Fig. 1. The 3D visualizations show position—position—velocity (p-p-y) space. RA, right ascension; dec., declination. For comparison with the ability of dendrograms (c) to track hierarchical structure, d shows a pseudodendrogram of the CLUMPFIND segmentation (b), with the same four labels used in Fig. 1 and in a. As 'clumps' are not allowed to belong to larger structures, each pseudo-branch in di s simply a series of lines connecting the maximum emission value in each clump to the threshold value. A very large number of clumps appears in b because of the sensitivity of CLUMPFIND to noise and small-scale structure in the data. In the online PDF version, the 3D cubes (a and b) can be rotated to any orientation, and surfaces can be turned on and off (interaction requires Adobe Acrobat version 7.0.8 or higher). In the printed version, the front face of each 3D cube (the 'home' view in the interactive online version) corresponds exactly to the patch of sky shown in Fig. 1, and velocitiy with respect to the Local Standard of Rest increases from front (-0.5 km s⁻¹) to back (8 km s⁻¹).

data, CLUMPFIND typically finds features on a limited range of scales, above but close to the physical resolution of the data, and its results can be overly dependent on input parameters. By tuning CLUMPFIND's two free parameters, the same molecular-line data set⁸ can be used to show either that the frequency distribution of clump mass is the same as the initial mass function of stars or that it follows the much shallower mass function associated with large-scale molecular clouds (Supplementary Fig. 1).

Four years before the advent of CLUMPFIND, 'structure trees'9 were proposed as a way to characterize clouds' hierarchical structure

using 2D maps of column density. With this early 2D work as inspiration, we have developed a structure-identification algorithm that abstracts the hierarchical structure of a 3D (p-p-v) data cube into an easily visualized representation called a 'dendrogram'¹⁰. Although well developed in other data-intensive fields'^{11,12}, it is curious that the application of tree methodologies so far in astrophysics has been rare, and almost exclusively within the area of galaxy evolution, where 'merger trees' are being used with increasing frequency'¹³.

Figure 3 and its legend explain the construction of dendrograms schematically. The dendrogram quantifies how and where local maxima of emission merge with each other, and its implementation is explained in Supplementary Methods. Critically, the dendrogram is determined almost entirely by the data itself, and it has negligible sensitivity to algorithm parameters. To make graphical presentation possible on paper and 2D screens, we 'flatten' the dendrograms of 3D data (see Fig. 3 and its legend), by sorting their 'branches' to not cross, which eliminates dimensional information on the x axis while preserving all information about connectivity and hierarchy. Numbered 'billiard ball' labels in the figures let the reader match features between a 2D map (Fig. 1), an interactive 3D map (Fig. 2a online) and a sorted dendrogram (Fig. 2c).

A dendrogram of a spectral-line data cube allows for the estimation of key physical properties associated with volumes bounded by isosurfaces, such as radius (R), velocity dispersion (σ_v) and luminosity (L). The volumes can have any shape, and in other work we focus on the significance of the especially elongated features seen in L1448 (Fig. 2a). The luminosity is an approximate proxy for mass, such that $M_{\rm lum} = X_{\rm 13CO} L_{\rm 13CO}$, where $X_{\rm 13CO} = 8.0 \times 10^{20} \, {\rm cm}^2 \, {\rm K}^{-1} \, {\rm km}^{-1} \, {\rm s}$ (ref. 15; see Supplementary Methods and Supplementary Fig. 2). The derived values for size, mass and velocity dispersion can then be used to estimate the role of self-gravity at each point in the hierarchy, via calculation of an 'observed' virial parameter, $\alpha_{\rm obs} = 5\sigma_v^2 R/G M_{\rm lum}$. In principle, extended portions of the tree (Fig. 2, yellow highlighting) where $\alpha_{\rm obs} < 2$ (where gravitational energy is comparable to or larger than kinetic energy) correspond to regions of p-p-v- space where self-gravity is significant. As $\alpha_{\rm obs}$ only represents the ratio of kinetic energy to gravitational energy at one point in time, and does not explicitly capture external over-pressure and/or magnetic fields is, its measured value should only be used as a guide to the longevity (boundedness) of any particular feature.

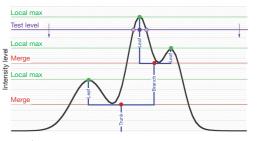


Figure 3 | Schematic illustration of the dendrogram process. Shown is the construction of a dendrogram from a hypothetical one-dimensional emission profile (black). The dendrogram (blue) can be constructed by 'dropping' a test constant emission level (purple) from above in tiny steps (exaggerated in size here, light lines) until all the local maxima and mergers are found, and connected as shown. The intersection of a test level with the emission is a set of points (for example the light purple dots) in one dimension, a planar curve in two dimensions, and an isosurface in three dimensions. The dendrogram of 3D data shown in Fig. 2c is the direct analogue of the tree shown here, only constructed from 'isosurface' rather than 'point' intersections. It has been sorted and flattened for representation on a flat page, as fully representing dendrograms for 3D data cubes would require four dimensions.

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Goodman, Rosolowsky, Borkin, Foster, Halle, Kauffmann & Pineda, **Nature**, 2009

Making Sense of High-Dimensional Data and Visualizations 3D Milky Waya Predictive KS? Alyssa A. Goodman Harvard-Smithsonian Center for Astrophysics Key Collaborators: H. Arce, C. Beaumont, M. Borkin, M. Halle, J. Kauffmann, J. Pineda, E. Rosolowsky, R. Shetty Jan Vermeer. The Astronomer. (1668)

Tuesday, March 22, 2011

The "data deluge" in science is old news. Now, it's pouring, and we need working tools to collect, sort out, understand, and keep what is falling down on us. In astronomy, the greatest insights very often come from studies where more than one "band" of data (e.g. optical, infrared, radio, X-ray) is combined. And, data sets aren't just large--they are often also high-dimensional, in that they contain information about flux as functions not just of position on the sky, but also as functions of a third dimension (e.g. frequency, velocity), and/or of time. Life science, geophysical, and geospatial data all present similar challenges.

In this talk, I will focus on examples drawn from my group's research on star formation in molecular clouds. In particular, I will show how new visualization and statistical analysis techniques relying on interactive high-dimensional views of data and on automated algorithms for "segmenting" data give new insight. "Segmentation" in imaging terms refers to extracting the meaningful structures from data, and I will show results from both dendrogram (tree-hierarchy) and machine-learning approaches. I will emphasize how the visualization of segmentation results is critical for understanding. The highlighted science results will show how we can now--for the first time--quantitatively but intuitively understand the connections between the "real" (position-position-position) space where simulations (e.g. of star formation) can be made and the "observational" (e.g. position-position-velocity) space available to earthbound astronomers. As a result of this newfound understanding, we can place important limits on the validity of virial-theorem-based calculations of the properties of gas--allowing, for example, for better estimates of which gas in star-forming regions is most likely to stay bound long enough to form stars.

Even though this abstract may sound technical to non-star-formation or non-computational researchers, my goal will be to keep the talk accessible to non-experts, so people from other fields faced with high-dimensional data and visualization challenges should feel free to join in--and to ask questions